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## VMTKGui: an innovative tool for anatomical three-dimensional reconstruction.

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## Sommario

Lo scopo di questa tesi è quello di presentare lo sviluppo dell'interfaccia grafica VMTKGui da affiancare ad un software pre-esistente, the Vascular Modeling Toolkit (VMTK), per poter creare un tool in grado di processare un'immagine medica di tipo DICOM (DIgital COmmunication in Medicine) in modo da passare da essa a una ricostruzione tridimensionale della stessa che permetta di effettuare simulazioni numeriche su quello che è il flusso nei vasi, come è spiegato dettagliatamente in [5]. A questo scopo si sfruttano alcune funzioni offerte da un software opensource per l'analisi e visualizzazione di immagini (Visualization ToolKit, $V T K)$. Lo scopo del tool che si intende realizzare è quello di poter ricostruire la geometria di una parte anatomica non banale (nello specifico il fine ultimo è quello di ricostruire la zona a cavallo della valvola mitrale, vale a dire ventricolo sinistro, valvola mitrale stessa e ultimo tratto di aorta ascendente) per poter successivamente fare un'analisi numerica del flusso in quell'area. Per la realizzazione dell'interfaccia grafica si utilizza il linguaggio Python: si è preferito andare in questa direzione dal momento che la totalità delle librerie $V M T K$ ha un'interfaccia evoluta proprio in questo linguaggio.
Il presente lavoro è così suddiviso: nel primo capitolo viene presentato il progetto nelle sue linee generali. Viene dunque dedicato ampio spazio a quello che è lo stato dell'arte di VMTK per quel che concerne la visualizzazione di immagini in campo medico; di seguito sono presentati gli obbiettivi che ci si è posti all'inizio del lavoro; nell'ultima sezione, invece, si dà ampio spazio alle applicazioni pratiche che potrebbero prendere piede a partire dal tool sviluppato per poi sottolineare l'importanza del lavoro svolto.

Nel secondo capitolo si tratta della ricostruzione geometrica da un punto di vista teorico: si presentano, nella prima sezione, le possibili tecniche per ricostruire una certa geometria partendo da un'immagine in formato DICOM ; nella seconda sezione sono presentati i dettagli del metodo di ricostruzione utilizzato in questo lavoro di tesi, vale a dire il Level Set Segmentation ( $L S S$ ), individuando i vantaggi che questa tecnica presenta rispetto alle altre, mettendo in evidenza quali sono i motivi che ci hanno portato a una tale scelta.

Nel terzo capitolo, invece, si è redatto un manuale per l'utente del software $V M T K G u i$. Si presentano i vari passi per arrivare ad una ricostuzione della geometria desiderata su cui verrà poi eventualmente costruita una mesh.
Per ogni step sono presentate le varie problematiche, il metodo di utilizzo del comando e, infine, l'applicazione dello stesso in un esempio pratico.

Nel quarto ed ultimo capitolo c'è una prima sezione in cui si discute un'attenta analisi di quelli che sono stati i risultati ottenuti in rapporto agli obbiettivi che ci si era posti in partenza. Inoltre, nella sezione finale si offre una discussione relativa a possibili sviluppi futuri, al fine di migliorare e ultimare il tool realizzato rendendolo disponibile a tut-
ti gli utilizzatori del software $V M T K$, sicuri del fatto che un tool con queste potenzialità possa suscitare interesse nell'ambito di simulazioni in campo medico.


#### Abstract

The main target of this thesis is to describe the development of the graphic interface, VMTKGui. This tool can be used with Vascular Modeling ToolKit (VMTK), an already-existing software used to precess medical images, in particular vascular vessels, as the name suggests in order to reconstruct a certain geometry. This graphic interface has the goal to partly automate the reconstruction of vascular geometries, starting from a medical $C T$-series in DICOM format. To do this, we use some libraries offered from another software, VTK which is an opensource, freely available software system for 3D computer graphics, image processing and visualization. The tool that we realize should be able to reconstruct the geometry we want (in this specific case we should reconstruct the left ventricle, the mitral valve and the final part of the ascending aorta) in order to build a three-dimensional mesh needed for numerical simulations of the flow in that area. The $G U I$ has been coded in Python, for which VMTK provides a clear interface.

This work is divided into 4 chapters: in the first chapter an overview of the project is presented. The state of the art of medical images visualization is described at the very beginning. Furthermore, the targets of the project are pointed out; also, in the final section, some practical applications are discussed and the importance of the VMTKGui is clarified.

In the second chapter we give the theoretical details about the technique we decided to use, i.e. the Level Set Segmentation ( $L S S$ ) technique. Thanks to this technique it is possible to reconstruct a 3D geometry that can be meshed and then used for simulations. In the first section of this chapter we present different algorithms for geometrical reconstruction, while in the second one we give the details about the $L S S$ and its implementation and we explain why such a choice.

The third chapter contains the VMTKGui user's guide: all the steps are detailed. And, for each step, we list the problem, we give some hints about the command and its usage and, finally, we present a practical example (in this case we reconstruct the descending aorta).

Finally, in the fourth chapter, we analyze the results and we compare them with the goals we had at the beginning of this project. We also discuss possible future development in order to build a better tool and in order to make the tool available to the VMTKcommunity. In fact, we are sure it could be interesting to have such a tool that anyone can use and develop: it could be a way to make VMTK more user-friendly. And it will inspire huge interest in the medical environment.


## Ringraziamenti

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> René Barjavel

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> Pierre Charron

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## Prefazione


#### Abstract

Il vostro tempo è limitato, per cui non lo sprecate vivendo la vita di qualcun altro. Non fatevi intrappolare dai dogmi, che vuol dire vivere seguendo i risultati del pensiero di altre persone. Non lasciate che il rumore delle opinioni altrui offuschi la vostra voce interiore. E, cosa più importante di tutte, abbiate il coraggio di seguire il vostro cuore e la vostra intuizione. In qualche modo loro sanno che cosa volete realmente diventare. Tutto il resto è secondario.


Steve Jobs

Implementare il codice che mi ha portato alla realizzazione dell'interfaccia grafica VMTKGui e, in seconda battuta, alla stesura della presente tesi, è stato per me motivo di orgoglio. Ritengo opportuno riassumere ciò che mi ha spinto ad una tale scelta, dal momento che l'argomento centrale di questa tesi è lontano anni luce dal campo aeronautico che, invece, è l'argomento centrale del corso di studi che - con oggi - finalmente porto a termine. Andrò quindi a discernere ed analizzare quelle che sono le obiezioni che è possibile muovere, spiegando i motivi che mi hanno spinto, nonostante ciò, a svolgere un lavoro di tesi di questo tipo.

In primo luogo, la mia scelta è stata dettata dalla passione per la numerica: tra tutti i corsi seguiti, quelli che hanno maggiormente destato il mio interesse sono stati i corsi a carattere computazionale. Ecco perché ho pensato di rivolgermi al Dipartimento di Matematica del Politecnico di Milano e, nello specifico, al MOX.

Si potrebbe obiettare che - pur restando in ambito numerico - avrei potuto scegliere un argomento prettamente aeronautico: vero, ma alla base della mia scelta c'era anche un forte desiderio di fare un'esperienza all'estero. E , dal momento che mi si è presentata questa occasione, non

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ho voluto lasciarmela sfuggire. Sono consapevole del fatto che questa non era l'unica scelta possibile, ma è stata sicuramente un'ottima scelta. E sono orgoglioso di aver vissuto questa esperienza.

Inoltre - come mi è stato più volte ripetuto nel corso di questi 5 anni - l'ingegnere è una figura caratterizzata da una forte duttilità: è questo che mi ha spinto ad andare a esplorare altri campi, lontani da quello aeronautico. Sempre animato da una forte curiosità e dal desiderio di imparare cose nuove: mi ritengo (citando alcuni versi della canzone intitolata "Addio", di Francesco cuccini) "un eterno studente perché la materia di studio sarebbe infinita e, soprattutto, perché so di non sapere niente".

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Concludo dicendo che sarei dispiaciuto se leggendo questa prefazione resterete delusi, in quanto non avete tra le mani una tesi "aeronautica". Vi invito comunque ad andare oltre e a non fermarvi qui; spero che, nello scrivere questo lavoro, sia riuscito a trasmettere almeno una parte della passione che ho dedicato ad esso e una parte dell'entusiasmo che si leggeva nei miei sorrisi quando le cose andavano bene, ma anche quando qualcosa non funzionava perfettamente.
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Buona lettura,

## Samuele Zampini

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## Preface


#### Abstract

Your time is limited, so don't waste it living someone else's life. Don't be trapped by dogma - which is living with the results of other people's thinking. Don't let the noise of others' opinions drown out your own inner voice. And most important, have the courage to follow your heart and intuition. They somehow already know what you truly want to become. Everything else is secondary.


## Steve Jobs

I am really proud to have written the code that allowed me to create the VMTKGui graphic interface and to have published this thesis. In this preface I would like to sum up all the reasons that drove me in such a choice. It is a subject that is very very far from the main subjects that characterized my studies. Why such a choice? I think this is the right place where I can give you the motivations. I know you could object that this job is not linked to what I studied. But I think that - as you can read in the epigraph - everyone should follow his/her heart and intuition. That is what I did.

A great motivation that suggested me to accept this thesis that professor Quarteroni offered me is my love for the numerical subjects. That is why I asked to the Maths Department for a thesis.

The first objection you could move is that I could have found an aeronautical subject for a numerical research. That is true. But one more reason is that my dream was to go abroad for the thesis. And as soon as I heard about the opportunity to go to Lausanne I said: "Yes, I am ready to leave." and I left. This was not the only possible choice. Maybe there were many other choices. I am sure that my choice has been a great choice and I am proud of what I did.

Furthermore, in these years of university, I was often told that an engineer should be a very ductile figure. So I decided to explore fields far from "airplanes", which are the main subject of an aeronautical faculty. In fact I am very curious and (quoting some verses of the song "Addio" by Francesco Guccini)I am "an eternal student, since the field of study would be endless and above all because I know to know nothing" ${ }^{1}$.

Also, there is a very personal motivation that I want to share with you: I like medicine. Not only because I would have chosen Medicine if I had not chosen Engineering, but also because the idea to be able to help other people is something that really makes me happy. It is true that an engineer could build a faster airplane that allows the surgeon to go from a place to another in a blink or he could build a bridge to reach a city in a couple of hours instead of two days. Also, engineers could create a tunnel to link to towns. But it is the surgeon who has the power and the possibility to save a patient or not. He is the surgeon who can save a person. I am also aware that I am not a surgeon and I will never be a surgeon. However, it is enough to know that a person will be saved thanks to the software I have contributed to develop, to make me proud and happy of what I have done through this report.
Finally, let me tell you that I would be very sorry if, reading this preface, you will be disappointed since you are reading a non aeronautical report. In this case, I will invite you to go further in reading this thesis, hoping that reading it, you will feel the passion and the enthusiasm I tried to convey while I was writing it.
Obviously, feel free to contact me if you have any question or curiosity that deals with the developed work.

Enjoy your reading,

Samuele Zampini<br>samuele.zampini@gmail.com

[^0]
## 1. Introduction

If you can't solve a problem, then there is an easier problem you can solve: find it.<br>George Polya

The aim of this first chapter is to give to the reader a general overview of the work developed in this thesis, without any technical detail. Details that - as we can see - are analyzed in the next chapters (read chapters 2 and 3 ). This first chapter is divided in four sections: in section 1.1 we discuss about the state of the art of the visualization in the medical applications and we offer a description of the different techniques available to acquire data.

In section 1.2 we define the targets we want to reach with our tool. Here, the final goals are presented and we discuss about the targets of both the VMTKGui and the VirtualValveStent project. What it is important to remind is that the final target of the VirtualValveStent project is not a goal we want to reach through this report; nevertheless, we would like to pave the road for those who may be interested in developing such a tool.

Finally, in section 1.3, we discuss about the importance of the tool we develop in this thesis, describing its main features and its possible applications. The key point of this section is that the reader could appreciate the ductility of the tools developed in this report.

### 1.1 Medical visualization: the state of the art ${ }^{1}$

Angiographic image acquisition techniques (see [40] for further details) provide detailed anatomic data on vascular structures. Graphic workstations usually linked to Computed (Axial) Tomography $(C(A) T)$ or Magnetic Resonance ( $M R$ ) scanners are used in the clinical practice to produce tridimensional patient-specific representations on the basis of the acquired data. The techniques used today for such purposes are in general not adequate for accurate geometric analysis and Computational Fluid Dynamics ( $C F D$ ) which we address here, since the main effort is directed toward producing high-quality visual feedback rather than accurate geometric modeling of a particular anatomic structure: physicians, in fact, prefer a better graphic visualization instead of an accurate geometry. In our case, vascular modeling requires, as a first step, the extraction of vascular wall position from medical images. In this very first section it is useful to give a brief overview of the principal imaging techniques used in the clinical practice for the acquisition of tridimensional anatomy of vascular segments. Since we use data coming from $C T$ images, we give a detailed description of this technique in the first subsection. In the second and third ones we give a list of other widely used techniques with very short descriptions.

### 1.1.1 Computed Tomography

Computed Tomography (for further details see [43] and [6]) imaging is also known as CAT-scanning, where the "middle" A stands for axial. The word tomography is from the Greek words "tomos" meaning "slice" or "section" and "graphia" meaning "describing": in fact, we reconstruct the volume we are interested in taking many "shots", slice by slice.
$C T$-scanning is a quite recent technique, since it was invented in 1972 by Godfrey Hounsfield (see [37]) of EMI Laboratories, and by Allan Cormack (see [34]) of Tufts University. Hounsfield and Cormack were later awarded the Nobel Peace Prize for their contributions to medicine and science.
The first clinical $C T$-scanners were installed between 1974 and 1976. The original systems were dedicated to head imaging only, but "whole body" systems with larger patient openings became available in 1976. $C T$-scanning became widely available by about 1980. There are now about $30000 C T$-scanners installed worldwide.
The first $C T$-scanners developed by Hounsfield in his lab at EMI took several hours to acquire the raw data for a single scan or "slice" and took days to reconstruct a single image from this raw data. The latest multi-slice CT systems can collect up to 4 slices of data in about 350 ms and reconstruct a $512 \times 512$-matrix image from millions of data points in less than a second. An entire chest (forty 8 mm slices) can be scanned

1 Please, refer to [17], [15], [13], [14], [9], [8] e [? ] for details about the state of the art in the clinical imaging.
in five to ten seconds using the most advanced multi-slice $C T$-scanning system.
During its 35 -year history, $C T$-scanning has made great improvements in speed, patient comfort, and resolution. As $C T$-scanning times have gotten faster, more anatomy can be scanned in less time. Faster scanning helps to eliminate artifacts from patient motion such as breathing or peristalsis even tough we still have a certain noise in the reconstruction we do. But this noise could be attenuated as analyzed further, thanks to some post-processing tools. Here, we are referring to the "smoothing" tool that eliminates the noise introduced during the acquisition.

Tremendous research and development has been made to provide excellent image quality for diagnostic confidence at the lowest possible x-ray dose. Nowadays, in fact, it is possible to get very detailed images in a quite short time. Also, it is possible to have a colored reconstruction and this is certainly a great advantage both for the doctors and for the patients who would like to understand something more about their situation.
Why is $C T$-scanning becoming more and more popular? One of the great advantages is that it is a non-invasive technique: it is used widely both for the diagnose and also to simulate the surgery. In fact, thanks to $C T$ scanning, the doctor can both simulate a surgery (in order to analyze all the difficulties he may have to face) and make a clear and sure diagnose about some malformations or diseases, avoiding the biopsy, which is an invasive operation.
Furthermore, this kind of visualizations are very useful if you have to insert a stent (e.g. the VirtualValveStent project) in a patient's vessel: in fact, through visualizations, it is possible to reconstruct the geometry, to virtually build the stent and to virtually install it properly. And this helps the doctor and allows him to "study" in advance the surgery he is going to do. This means that - generally - the doctor has an idea about what he is going to find, making the operation be safer.
Also, in these days, imaging visualizations are used for a mathematical purpose, too: in fact, thanks to this visualization it is possible to obtain high-fidelity reconstruction of any anatomic area we are interested in. Once we get this reconstructions, it is possible to build a mesh either over the surface or in the volume and to analyze either the blood flow in the vessel or the air flow through a cavity, depending on what we need to study. That is another point that makes the visualizations very very important nowadays.
How does the $C T$-scanning technique work? To better understand this point, with animations, please visit [7]. This is a technique that consists of imaging cross-sections of a body using series of X-ray measurements taken at many different angles around it. The intensity of X-rays passing through the scanned body is attenuated according to the density of tissues that the rays encounters, so that the line integral of tissue density is measured. The source and the detector rotate around the subject and register a row of X-ray measurements for each angle during the rotation. In helical CT scanners, the subject is continuously moved through the
plane of the rotating source and detector, so that an helical trajectory around the subject is generated. In multi-row helical CT scanners, the actual state of the art scanners, the signal is acquired simultaneously from up to four rows, thus optimizing the trade-off between acquisition time, z-resolution and noise.

The signal resulting from the acquisition is called sinogram, and is represented as a series of images with detected attenuation on the $x$-axis and rotation angle on y-axis. The image is then reconstructed by solving the inverse Radon transform (see [42]) on the image grid. The reconstructed image contains attenuation values expressed by Hounsfield units (HU), for which water is conventionally represented by 0 . Consequently, fat is associated with negative values, connective tissue by low positive values and calcium by high positive values. Scanners today available in the clinical context allow in-plane resolution smaller than 0.5 mm and slice thickness smaller than 1 mm of anatomical structures in a single breath-hold.

In the image 1.1 we have an example of a thoracic CT. It is possible to see the different HU values that indicates the different tissues. We have pointed out the ascending and the descending aorta, which is the area that we analyze in this report.


Figure 1.1. Example of a thoracic $C T$-scanning, got with the VMTKGui tool. It is possible to appreciate the different HU values depending on different kind of tissues.

### 1.1.2 Magnetic Resonance

There are two more important techniques that are used in the clinical practice; they are the magnetic resonance and the ultrasound imaging. In this subsection we give a brief description of the first one, i.e. the
magnetic resonance, while the second one, i.e. the ultrasound imaging, is presented in the next subsection (see Subsection 1.1.3).

Magnetic resonance (see [39] for further details) is based on the measurement of relaxation times of the net magnetization vectors induced in tissues when a magnetic field at a given frequency is applied. Net magnetization occurs because the magnetic momentum of nuclei, whose Larmor frequency (see [38]) is that of the applied field, tends to orientate along the direction of the field. In medical imaging the Larmor frequency of hydrogen nuclei is usually employed. When the magnetic field is ceased, the magnetic momentum of hydrogen nuclei return to equilibrium by local field inhomogeneities and by interaction with other relaxing nuclei, and the net magnetization returns to 0 . Both relaxation processes are exponential, and their time constants (named T1 and T2 ), which are characteristic of different tissues, can be measured. As a result, images can reflect proton density, T1, T2 or a mixture of these quantities. Localization of the voxels from the decaying magnetization signal (or Free Induction Decay, FID [36]) is accomplished by additional magnetic fields, acting as gradients along the directions if imaging axes. Signal is collected in lines of data in the frequency domain (the k-space), and is then brought to the image domain by Fourier transform techniques. Several sequences of application of magnetic fields and gradients are available, which offer great flexibility in imaging different anatomical structures.

It is important to underline that potentially harmful effects of magnetic fields have not been demonstrated, so that MR is considered a non-invasive investigation, as well. Recent developments of MR imaging techniques allow 1 mm resolutions within a single breath hold: speed and resolution are lower than the CT ones, but they are good, too and this makes MR technique a very good and used technique. Also, there is an advantage of MR over CT: in fact, in the MR technique the imaging planes can be oriented by changing the direction of gradients, hence you could choose the orientation you like best.

### 1.1.3 Ultrasound imaging

Ultrasound imaging (see [41] for further details) is based on the generation of ultrasounds from a piezoelectric transducer which is then used as a receiver for the waves reflected at the interfaces between two tissues with different acoustic impedance. The brightness modulation imaging modality produces morphologic images which represent the echogenity of the tissues and of tissue interfaces. Recently, image processing techniques allow to combine acquired 2D images into volumes, yielding 3D ultrasound. Although image resolution still cannot compete with $C T$ or MR angiography and the investigation is limited to superficial vessels, such acquisition method is attractive for the possibility of accurately discerning the morphology of the vessel wall, and for the relative inexpensiveness and flexibility of the technique.

A useful imaging modality is Doppler ultrasound, which accounts for the frequency shift of waves reflecting over flowing red blood cells. Thanks to this technique, velocity measurements can be performed real-time with high temporal resolution in a sample volume.

### 1.1.4 How to store data

A very good reference to refer to, in order to understand how the data acquisition works, is [1]. To sum up, let's say that for our purpose, what is important is to store the data we have acquired. And we have to do it in a smart way. The interesting point is that, independently from the image acquisition technique employed (either $C T$, MR or ultrasound), the acquired 3D images, usually in the form of stacks of 2D images, are stored on workstations linked to the scanners, and must be transferred to calculators for processing. This has to be accomplished without loss of information. Since medical images are usually represented by a number of gray levels greater than 256 , 8 -bit image formats, such as TIFF, handled by usual image-editing software are not suited for the representation of medical data. Hence, we need something different, also because due to the number of informations associated with acquisition, such as patient's and investigator's data, image number, image position, image resolution, acquisition time, acquisition modality and scan parameters, the need of a consistent way to handle such amounts of data has led to the definition of a standard for communication and storage of medical image data, the DICOM format. Images stored in the DICOM format contain a header which, in turn, encloses a number of tags organized into groups, followed by image data, which for $C T$ and MR is represented in signed 16 -bit label. By reading the tags and the image data it is possible to reconstruct the acquired volume from the image stack without the need of further information. For a detailed description of the DICOM standard see [23].

### 1.2 Targets

After the brief overview just presented, let's focus on our targets.
Through this thesis we want to write and test a procedure that - starting from a $C T$-scanning series - allows to faithfully reconstruct the geometry of a certain area. This target could be achieved using the existing software VMTK: the interesting point that makes the VMTKGui ${ }^{2}$ tool innovative is that, thanks to it, we provide a user friendly graphical interface, that does not exist in VMTK. The latter, in fact, is handled by command line. Commands are often long and non-intuitive: that is why the physicians or the scientists may find it difficult to use VMTK. Also, this tool will be available for the VMTK-community, making it easier and faster to reconstruct a certain area, starting from a $C T$-scanning

2 As the name suggests, this tool is developed starting from VMTK
series, since "everything that deals with a $G U I$ is welcome in our community" as a VMTK-developer stated.
To get our goal - as you can see reading the code in appendix B - we use Python language: this choice seems to be the right one, since this language is very intuitive and flexible and - above all - since VMTK has the proper interfaces to do this.

To sum up, the first step is to build a $G U I$ : the intent of this work includes the identification of clear interfaces between VMTK and the user.
Once the data are loaded into VMTK, it is possible to act on it, in order to smooth it, since the surface reconstruction by $L S S$ (i.e. the algorithm we use to reconstruct the geometry we need, see 2 ) is pretty noisy. Furthermore, in order to make it easier to reconstruct and to compute the centerlines, we use another VMTK function, the "clipping", that allows to get a well-defined inlet and outlet surfaces (all this features are detailed further, in chapter 2).

Hence, to present VMTKGui, we say that the it is a smart and an innovative way to manage the most of the VMTK functions (the missing ones can be added) thanks to a user friendly graphic interface; we decided to start from this point since a $G U I$ is the worst lack we noticed in the VMTK software.

Another important target that we reached through VMTKGui is the possibility to build a mesh readable from different finite element solvers. So that, such a tool could be used from the researchers in order to build meshes over a "real geometry" to do a patient ad-hoc numerical simulation. This makes VMTKGui tool a tool used in the pre-processing for a FE analysis.
In the Figure 1.2 it is possible to observe how the $G U I$ is with all its features that will be discussed and detailed in chapter 3.


Figure 1.2. An overview of the $G U I$ where it is possible to appreciate all the features available through VMTKGui tool.

Let's now discuss about the long term goal, named VirtualValveStent, that is a somewhat ambitious project. This is the reason for which we decided to go ahead step by step, decomposing the original project into three sub-targets. Even tough in this thesis we develop the VMTKGui software, we think it is better (for a better understanding of the main project and also to make it possible its future developments) to give a short description of the final target, too.
It is clear, once again, that VirtualValveStent is a great project, but it is very ambitious and too heavy to be developed in a master thesis.
After the creation of a GUI (thanks to the VMTKGui), there are two more steps:

- insertion of the stent above the reconstructed geometry;
- possibility - thanks to a joint control - to choose the best inserting-point for the stent.

As you can appreciate, VirtualValveStent (i.d. of the second and the third sub-target) is a very ambitious project and it is going to be both a medical and an engineering tool. In fact, to place the stent in the right position you have to put the center of the stent itself in the center of the aortic valve. Also, once found the exact position, we have to find the right orientation: this is possible once we compute the centerlines of the stent and of the aorta. In this case, we make them fit and what we get is the exact positioning of the stent.
Furthermore, as far as the third sub-target is concerned, we can find out the best inserting point for the stent. This means that the operation will be the least invasive possible. Also, thanks to this trick, the doctor can simulate many ways to insert the stent, choosing the best one. This possibility to make different simulations makes the software VirtualValveStent very interesting. Also, the doctor has to choose and to perform the simulation that offers the best results in terms of feasibility, safety and comfort (both for the patient and for him). One more step could be an automation of this process, thanks to a joint control that minimizes a certain figure of merit properly studied.

### 1.3 The importance of VMTKGui and its possible applications

On the one hand, the VMTKGui is only an intermediate step toward the VirtualValveStent and one could wonders if it is smart to develop and use such a tool. Of course, the answer is "Yes, it is!". Why can we assert this? The reply is pretty easy: in fact VMTKGui is a flexible tool that can be used in many applications. One of its best feature is the possibility to get a detailed and high-fidelity geometrical reconstruction: thanks to this tool, in fact, we can get a surface in the tridimensional space. And this surface can be used as the starting point by people
interested in generating a mesh over a certain surface or in a certain volume, starting from a $C T$-series. This is why - as it is explained in the chapter 4 , section 4.2 - we think that the software has to be developed and specialized in order to make it easier and faster to load a DICOMseries, to extract the volume we are interested in and to generate the corresponding surface/volume mesh. After we get a good mesh - and this is the key point - we can start with a numerical simulation. In fact, nowadays, the computer power is growing faster and faster and the Computational Fluid Dynamics (CFD: for further details visit, for example, [35] and A) is becoming more and more important and used. In fact, $C F D$ is spreading in many different fields, also in medicine, for example.
And the base for a good $C F D$ simulation is to have a good mesh. That is why the possibility to generate a mesh makes VMTKGui a very ductile tool.

## 2. The Level Set Segmentation

You do not really understand something unless you can explain it to your grandmother.<br>Albert Einstein (1879-1955)

This is the theoretical chapter ${ }^{1}$ of this report where a detailed description of the Level Set Segmentation (LSS) technique is given. In the first section of this chapter it is appropriate to introduce different techniques that could be used to extract a tridimensional reconstruction, starting from a $C T$-series. What we would like to achieve is to underline all the pros and the cons of each technique, in comparison with the LSS technique.

### 2.1 Techniques for reconstruction of tridimensional models

In this section we give a brief overview of the techniques that can be used in order to get a tridimensional reconstruction of a certain geometry starting from DICOM medical images. Medical images describe the region of interest by level of grey. Each level correspond to a different density, hence to a different tissue. Therefore, geometry reconstruction relies on identifying borders between different grey levels. There are at least three important techniques for geometry reconstruction:

- contouring;
- parametric deformable models (e.g. snakes and balloons);
- implicit models (e.g. $L S S$ ).

In this section let's examine the contouring and the parametric deformable model; the implicit models are discussed in Section 2.2. As far 1 To edit this chapter we revise Antiga [1] and Sethian's [26] PhD thesis.
as contouring is concerned, the idea that stands behind this method is that - in a rough approximation - different tissues correspond to different grey levels in the $C T$-scanning. Hence, the easiest approach is to create a surface in correspondence of a certain grey-level. The advantage of this technique is that it can be performed on a single two-dimensional image constituting the three-dimensional volume or directly on the tridimensional image. The most popular contouring algorithm is the marching cubes algorithm ${ }^{2}$. This algorithm has been introduced by Lorensen et. al [20] in 1987 and, although quite old, this technique is still widely used; it is also used to validate newer and more sophisticate improvements [3] or alternatives [44].
Let's now discuss about how this algorithm works: we start from a three dimensions $C T$-series and we set a level of gray that allows us to extract the tissues we are interested in. Then we create a grid and it is possible to label image grid vertices, i.e. the voxels, as above or below the given level by reading their scalar value and comparing it with the chosen level. Let's now consider the set of one voxel-wide cubes, which is defined by eight neighboring voxels: hence, it is possible to select which are the cubes intersected by the isosurface of the value of interest as the ones in which some of the voxels are labeled above and the rest below. The idea at the base of this algorithm is that the above and below voxels of each cube can be partitioned by a set of triangles whose vertices lie on cube edges in a finite number of ways, called cases. That is why we can construct a table of these cases: this table should contain all topological configurations of above and below voxels and triangles partitioning them, regardless the exact position of triangle vertices along cube edges (as in Figure 2.1; it is important to underline that this picture only has a topological meaning. Triangle vertices must be considered in a generic position along cube edges and their coordinates are found by interpolation).


Figure 2.1. Marching cubes cases (courtesy of L. Antiga, see [1]).

[^1]A great advantage of this technique is that - in most cases - there is only one possible configuration of surface triangles: this means that the surface reconstruction can be performed independently for each cube constructed in the contoured image, retrieving the proper surface configuration from the case table. To find the exact position of the triangle vertices along the cube edges we use a linear interpolation of voxel scalar values on cube vertices. The surface produced by marching through the whole image volume is therefore first-order sub-voxel accurate.
Figure 2.1 shows the table of cases reduced to 15 by symmetries. Now a technical detail arises: in fact, for a small number of cases, namely 3 , $6,7,10,12$ and 13 in the Figure 2.1 there is more than one possibility of constructing a surface partitioning above and below voxels. These are called complementary cases and they are represented in Figure 2.2.


Figure 2.2. Marching cubes complementary cases (courtesy of L. Antiga, see [1]).

These complementary cases are generated from the base case by swapping above and below voxels. This possibility generates ambiguity in surface reconstruction, since an arbitrary choice among ambiguous cases can give rise to changes in surface topology (e.g. holes). The way to avoid this problem is to introduce a set of rules. From a theoretical point of view, the rules can be avoided if contouring problem statement, besides image and contouring level, also includes the definition of different connectivity neighborhoods for above and below voxels, so that above voxels that are considered connected would not necessarily considered connected if labeled below. This way above/below swapping does not produce indistinguishable configurations in terms of cube voxel partitioning, therefore resolving ambiguity. In practice, it is not always possible to choose the proper neighborhoods for the whole three dimensions image prior to constructing the isosurface, so the use of local rules is often preferred.
This technique presents some limitations. Nevertheless we often use it, since angiographic tridimensional images represent scalar fields sampled on regular grids and this marching cubes algorithm is a good way to reach our goal: in fact it is possible to apply it to construct the isosurface

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Figure 2.3. Change in surface position and topology due to a slight change in contouring level. These levels are A: 215HU; B: 235HU.
located over the transition from vessel lumen to the surrounding tissue. Thanks to its simplicity, this approach is currently implemented in software applications for radiological visualization. Though it is very useful for the purpose of visualization, it is not adequate if we are interested in reconstructing an accurate geometric for the CFD analysis. The major limitation is that resulting surface depends on the scalar value we choose for the contouring and this choice is made by the operator who, being a man, can make a mistake. In fact there is not any fixed scalar level for vessel lumen boundary, but this level depends on different conditions (it is different from one patient to another, it depends on the environment and also on the quality of the $C T$-scan itself). Moreover, interfaces are the areas where the gray-level variation is bigger: this means that a slight change in contouring level may produce great changes in geometric and even topological features of the resulting surface, as shown in Figure 2.3, where models are generated by different levels contouring. One more problem is that a single contouring value may be not suitable for an angiographic acquisition if the contrast medium is used. In fact, the blood flow makes the concentration of the contrast medium change. Hence, the opacization level change, as well, time after time.
The same problem can be experienced in time of flight ${ }^{3}$ and phase contrast ${ }^{4} \mathrm{MR}$ angiographic acquisitions, due to complex blood flow patterns altering the received signal.

One more issue involving isosurface extraction is the impossibility of selectively reconstruct vessels of interest ignoring branching vessels, or to avoid the reconstruction of calcified plaques on CT images (see Figure (2.4)), since they have a higher gray value than the contrast medium, without manually editing the source images. This task can introduce operator dependency if the edited regions extend over several serial images

3 Time of Flight is a modality for the MR acquisition where flowing blood is excited in one plane and its signal acquired in a downstream plane. This allows to enhance saturated blood over the unexcited static tissue without using contrast agents, with the drawbacks of low spatial resolutions, slow acquisition and artifacts from complex flow
4 Phase Contrast technique relies on velocity induced phase shifts of the transverse magnetization. Since in the presence of complex flow patterns velocity measurements can be affected by artifacts, acquisition is usually performed in relatively straight vessels. This technique provides information about different velocity components.
and involve geometrically complex regions. That's why other techniques have been developed, even tough each of them presents its pros and its cons and it is impossible to say which is the best way to acquire images. That is why $C T$-scan is still widely used, nowadays.


Figure 2.4. Problems linked to the contouring model: a manual editing is necessary.

Let's give now a brief description about the two most-widely used parametric deformable models. These models have been introduced since there is a lack of absolute correspondence between tissues and grey level of a $C T$-series. These models, in fact, are based on image features instead of absolute gray level ranges. The two most popular models are the snakes - for two-dimensional analysis - and its three-dimensional counterpart, i.e. the balloons. These models evolves in the image space and a Lagrangian approach is used: with the expression "Lagrangian approach" we mean that deformations are referred to the undeformed initial configuration and each material point is followed [45]. The next two subsections are dedicated to a description ${ }^{5}$ of these two models.

### 2.1.1 Snakes

In this subsection we give an overview of the "snakes" model, which is developed in [45]. This technique may be used for two-dimension problems, only. A snakes is a parametrized curve evolving on the basis of image feature and intern constraints and not on absolute values. The key point is that - in a two dimensions setting - any closed curve evolve in a circle and finally collapses into one point since its curvature shrinks it. So, snakes are usually initialized as closed lines surrounding regions of interest. Then they move and shrink until the functional gets the desired result. In the blood vessel reconstruction, indeed, we can also initialize an "internal snakes" inside the lumen of the vessel itself. Then we inflate it until when the desired value (the HU value corresponding to the wall) is encountered. These active contours are often used for a three dimensions reconstruction - e.g. for vessels - even tough snakes

5 We give a qualitative description. For technical details see [1].

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are in two dimensions. And this is possible since we can reconstruct a stack of two dimensions images and then we put them together to build a tridimensional reconstruction. The snakes are widely used since they are very easy to be implemented. Of course they present some limitations: the shape retrieval is not simple. The image slice direction is not aligned with the vessel axis and it could be difficult to reconstruct accurately the vessel. Also, it is not easy to construct a surface from a set of two dimensions contours, especially if there is a bifurcation. In fact, through the interpolation, it may happen that the fidelity of the reconstruction is not high enough for a well-done $C F D$ simulation. That is the reason that leads the VMTK developers toward a different choice.

### 2.1.2 Balloons

Balloons are the three dimensions counterparts of the snakes. In this case is not true that each surface evolves into a sphere before collapsing in a point. That is why - as far as balloons technique is concerned - we usually perform an "inverse" process: starting from a small surface, we inflate it until the functional reaches the set value. This is also commonly used for initialization since it is enough to give a point inside the vessel (let's say its axis) and then we inflate it. The advantage is that - using balloons for the blood-vessels reconstruction (see [19]) - we can deal with the tridimensional geometry directly. This is a gain in speed and in operator independence. But there is also a drawback: the parametric nature of balloons may make it necessary to introduce some constraints on their evolution in order to avoid interpolation problem after a too large deformation. Also, there is a problem in the merging area between two balloons. In fact this area requires an ad-hoc parametrization. Details about this problem are discussed in [11] and [22]. Please refer to the mentioned articles.

Although these methods are widely used, we prefer - in accordance with the VMTK software - using the $L S S$ technique that is described in the next section.

### 2.2 Theoretical concepts behind the $\mathbf{L S S}$

The $L S S$ is an implicit technique and it is a good alternative to parametric deformable models presented in the previous section (e.g. snakes and balloons). These models are scalar functions defined in $\mathbb{R}^{2}$ or $\mathbb{R}^{3}$ whose isosurface of level $k$ is the model of interest. $L S S$ technique is introduced from an Eulerian point of view, while equations that rule the deformable models and written in the Lagrangian approach.
Let's anticipate the content of this section: we discuss the evolution equations for implicit models, hence the very first step is to switch from the Lagrangian to the Eulerian point of view. This means that we have to give the deformations referring to the deformed configuration at the step before.

Also, we give some numerical and implementation details and in the final subsection an application of the $L S S$ technique to vessels modeling is presented. One of the great advantage of this technique is that the equations we write are independent from the number of dimensions. That's why we present the three-dimensional equations only. Another reason is that the tridimensional model is the model implemented in VMTK.

Also, we suggest the reader to carefully read a very important section (i.e. Section 2.7) in Antiga's thesis [1] that report e validation for the LSS method. Validation that has been done using synthetic images of cylinders with different features (e.g. resolution, orientation and noise level). The function studied is the following:

$$
F(r)=C\left(\frac{1}{2}-\frac{1}{1+e^{-a(r-R)}}\right)
$$

where R is the radius of the cylinder, which is the distance between the symmetry axis and the zero level set of $F(r)$, and controls the steepness of the sigmoid at the inflection point (the gradient modulus at the inflection point is a), and C is a scale factor. For results and more details see the cited reference (i.e. Antiga's thesis [1]).

### 2.2.1 Evolution equation

The first thing to do is to introduce the evolution equation. Hence, the first step is to switch from the Lagrangian approach to the Eulerian one. We discuss about the three-dimensional problem, assuring that the extension to a different number of dimensions is easy and leads to the same equations. We start from the equation we got for the balloons (details are available in [1]), in the Lagrangian form:

$$
\begin{equation*}
\frac{\partial \mathbf{S}}{\partial t}=w_{1} G(\mathbf{S}) \mathbf{N}+w_{2}\left(\mathbf{S}_{\mathbf{r r}}+\mathbf{S}_{\mathbf{s s}}\right)-w_{3} \nabla \mathbf{P}(\mathbf{S}) \tag{2.1}
\end{equation*}
$$

where:

- $t$ is time;
- $\mathbf{S}$ is the time-evolving surface, such that $\mathbf{S}(t)=\{\mathbf{x} \mid F(\mathbf{x}, t)=k\} ;$
- $\mathbf{x}$ is a point in $\mathbb{R}^{3}$;
- $G(\mathbf{S})$ is scalar inflation speed;
- $\mathbf{N}$ is the outward surface normal;
- $\left(\mathbf{S}_{\mathbf{r r}}+\mathbf{S}_{s s}\right)$ is an average second-order smoothing term;
- $\mathbf{P}$ is the attraction term. It is a scalar potential function that takes into account image features (e.g. $\mathbf{P}(\mathbf{x})=-|\nabla \mathbf{I}(\mathbf{x})|)$;
- $w_{1}, w_{2}$ and $w_{3}$ are three coefficients that allow the user to optimize the function.

To switch from the Eulerian to the Lagrangian equations we have to remember that a surface evolving in time could be written as $\mathbf{S}: \mathbb{R}^{2} \times$ $\mathbb{R}^{+} \rightarrow \mathbb{R}^{3}$. And it also can be represented as an isosurface of $k$-level of a scalar function: $F: \mathbb{R}^{3} \times \mathbb{R}^{+} \rightarrow \mathbb{R}$.
Being $\mathbf{S}$ the $k$-level set of F over time, we can write:

$$
\begin{equation*}
\frac{\partial F(\mathbf{S}, t)}{\partial t}=-\nabla F(\mathbf{S}, t) \cdot \frac{\partial \mathbf{S}}{\partial t}=-|\nabla F(\mathbf{S}, t)| \cdot \frac{\partial \mathbf{S}}{\partial t} \cdot \mathbf{N} \tag{2.2}
\end{equation*}
$$

where $\mathbf{N}=\frac{\nabla F}{|\nabla F|}$ is the outward normal to level sets. It is important to underline that equation (2.2) is nothing but the implicit counterpart of the "balloons equations", written at the beginning of this section (see equation (2.1)). However this equation has the great advantage that the description of the embedded version of $\mathbf{S}(t)$ does not require a global parametrization, but relies only on local geometric properties of $F(\mathbf{x}, t)$. We have to rewrite the equation (2.1) in the Eulerian form, starting from the Lagrangian one. Following [1] and [26], after some technical details we can write the localized level sets equation for $F(\mathbf{x}, t)$, yielding

$$
\begin{equation*}
\frac{\partial F(\mathbf{x}, t)}{\partial t}=-w_{1} G(\mathbf{x})|\nabla F|+2 w_{2} H(\mathbf{x})|\nabla F|+w_{3} \nabla \mathbf{P} \cdot \nabla F \tag{2.3}
\end{equation*}
$$

which is the equation that represents a deformable surface (e.g. a balloon) embedded as a level set of a scalar field evolving in time. In this formulation there is a great advantage that is absent with a balloon model: there is no parametrization. Hence, our geometry could deform freely and we do not need to use any re-parametrization strategies or $a d-h o c$ merging rules. Another advantage is that if we are in a three dimensions setting, equation (2.3) can be solved on the regular grid by one of the classical numerical methods as is detailed in subsection 2.2.2. To better understand the different terms of Equation 2.3, once again we suggest the reader to refer to Antiga's work [1] where the definitions introduced by Malladi [21] are explained.

### 2.2.2 Numerical approximation

To solve the problem we rearrange the equation (2.3), writing it in a slightly different way, namely

$$
\begin{equation*}
\frac{\partial F(\mathbf{x}, t)}{\partial t}=-w_{1} G(\mathbf{x})|\nabla F|+2 w_{2} G(\mathbf{x}) H(\mathbf{x})|\nabla F|+w_{3} \nabla P \cdot \nabla F \tag{2.4}
\end{equation*}
$$

where we weight the curvature term by function $G$, so that smoothing effect is stronger in regions of lower image gradient magnitude which are zones where less image features are present.
To solve equation (2.4) many methods are available. We can use, e.g., the finite difference method where the image domain is used as the structured grid for the problem discretization. It is possible to observe that equation (2.4) is an equation in the Hamilton-Jacobi class. The general form of this class of equations is:

$$
\begin{equation*}
\frac{\partial F(\mathbf{x}, t)}{\partial t}+\mathcal{H}(\mathbf{x}, \nabla F(\mathbf{x}, t))=0 \tag{2.5}
\end{equation*}
$$

18
and its specialization for our problem becomes:

$$
\begin{equation*}
\frac{\partial F(\mathbf{x}, t)}{\partial t}=G(\mathbf{x}, t)|\nabla F(\mathbf{x}, t)| \tag{2.6}
\end{equation*}
$$

which is a class of nonlinear, hyperbolic PDEs. Let's apply a forward scheme for the numerical approximation.

It is known that hyperbolic equations have a particular behavior: information flows from the direction of front advancement. Hence, using a central two-sided finite differences could lead to instabilities. Instabilities that arise in the $\nabla F(\mathbf{x})$ approximation if we have a region where two level set fronts moving along incident directions merge: in this case we have an incorrect result despite arbitrary grid refinement, because information from each side of first-order discontinuity is averaged in calculating gradient values. This error can propagate to the neighboring points and instabilities may arise. To remedy to this inconvenience, Sethian et al. (see [26]) proposed to use an up-wind method, that is to say:

$$
\begin{align*}
& \left.F_{x}\right|_{\mathbf{x}_{i j k}} \approx D_{i j k}^{+x}=\frac{F(i+1, j, k)-F(i, j, k)}{h} \\
& \left.F_{x}\right|_{\mathbf{x}_{i j k}} \approx D_{i j k}^{-x}=\frac{F(i, j, k)-F(i-1, j, k)}{h} \\
& \left.F_{y}\right|_{\mathbf{x}_{i j k}} \approx D_{i j k}^{+y}=\frac{F(i, j+1, k)-F(i, j, k)}{h}  \tag{2.7}\\
& \left.F_{y}\right|_{\mathbf{x}_{i j k}} \approx D_{i j k}^{-y}=\frac{F(i, j, k)-F(i, j-1, k)}{h} \\
& \left.F_{z}\right|_{\mathbf{x}_{i j k}} \approx D_{i j k}^{+z}=\frac{F(i, j, k+1)-F(i, j, k)}{h} \\
& \left.F_{z}\right|_{\mathbf{x}_{i j k}} \approx D_{i j k}^{-z}=\frac{F(i, j, k)-F(i, j, k-1)}{h}
\end{align*}
$$

Let's analyze the equations above: even though they are a first-order accurate equations, these expressions can approximate regions with a cusp-solution. Being a one-sided approximation, we need to introduce a numerical viscosity, which does not have any physical meaning, but that allows us to solve the problem. The solution converges to the exact solution for $h \rightarrow 0$, but it is a slow convergence (see [24]). Higher-order schemes can be used, with all the difficulties that they imply.

Using up-wind finite difference for the level set approximation, we get:

$$
\begin{equation*}
F(\mathbf{x}, t+\Delta t)=F(\mathbf{x}, t)-\left[\max (G(\mathbf{x}), 0) \nabla^{+}+\min (G(\mathbf{x}), 0) \nabla^{-}\right] \Delta t \tag{2.8}
\end{equation*}
$$

For the definition of $\nabla^{+}$and $\nabla^{-}$, please refer to [1].
As demonstrated in [25], this scheme yields stable viscosity solution to equation (2.6).

Another numerical issue is that, in equation (2.3) we have to deal with the second-order derivatives. These are the terms related to the level sets

## Chapter 2

curvature $H(\mathbf{x})$ for the smoothing term. But second-order derivatives are naturally diffusive, that is why we can use - for these derivatives - the central finite differences.

There is one more numerical issue that has to be analyzed: the discretization in time. Discretization of Equation (2.4) leads to an equation which is not unconditionally stable, so that $\Delta t$ must respect the Courant-Friedrich-Levy (CFL) condition, i.e. (see [24]) there must be a relationship between the space and the time spacing:

$$
\max \left(\frac{\partial F}{\partial t}\right) \leq \frac{h}{\Delta t}
$$

that in this specific case becomes:

$$
\Delta t \leq \frac{h}{\max (G(\mathbf{x}, t)|\nabla F(\mathbf{x}, t)|)}
$$

This is a very good method, but it inevitably presents its drawback: if on the one hand, embedding the parametric deformable surface into a scalar function allows to achieve topology independence and let us menage great deformations, on the other hand there is the needing of defining a function on the whole image volume instead of a parametric function. Hence, the complexity of the problem depends on three dimensions image size rather than on model surface size. Computationally, this is very expensive and it can be impossible to gain real time control on model evolution, tough computer performances are growing very fast.
One of the possible solution is the Sparse Field Approach (as demonstrated by Whitaker, see [33]): we get our objective by tracking the set of voxels, called active set, intersected by the level set of interest (usually the 0-level set) at each time step, as well as two layers of voxels around the active set, to compute the required derivatives.

Thanks to this idea, the problem is computationally much cheaper: in fact we have to update only the voxels in the active set, and the complexity depends, once again, on model size. One more advantage of the Sparse Field Approach is that 0-level set position can be estimated from the values of $F(\mathbf{x})$ and $\nabla F(\mathbf{x})$ of the voxels in the active set, so that all the image-based quantities can be computed with a good accuracy, i.e. sub-voxels accuracy.

To sum up the Sparse Field Approach, we introduce the following scheme:
i. initialize layers, by finding zero crossing;
ii. compute solution change for active layer voxels based on upwind finite differences and Newton's method for 0-level set location;
iii. Compute time increment based on CFL condition;
iv. Add (solution change* time increment) to active layer voxels;
v. update the active set;
vi. update adjacent layers starting from the inner ones reconstructing the signed distance transform;
vii. repeat operation ii) to vi) until RMS change is smaller than the tollerance;
viii. contour 0-level set;
ix. end.

### 2.2.3 Implementation

In this subsection we explain how the $L S S$ solution is implemented in VMTK.

First of all, images were transferred from $C T$-scanners and read using a simple DICOM reader implemented by the VMTK-developers as a subclass of vtkImageDataReader, on the basis of the DICOM standard protocol.
The key point, as already stated, is the step that allows to reconstruct a tridimensional model, starting from the $C T$-series. The marching cubes algorithm, used for the inizialization, was implemented in C++ (and then translated in Python) using VTK 4.1, on the basis of what R . Whitaker implemented in VISPACK library. Also, VTK classes were mainly used to provide basic data structures (vtkStructuredGrid and vtkPolyData), input/output operations, image gradient computation (vtkImageGradient) and the contouring algorithm (vtkMarchingCubes).
The sparse field $L S S$ algorithm was implemented as a $V T K$ filter, derived from vtkStructuredPointsToStructuredPointsFilter class. A based sparse field approach level sets solver (vtkLevelSetsMachinery) class was constructed as a derived class of vtkStructuredPointsToStructuredPointsFilter class, which provided the sparse field level sets mechanism. The methods for the computation of image-based terms in level sets equation were kept virtual, and were implemented in a derived class (vtkLevelSets), inherited from vtkLevelSetsMachinery. Class vtkLevelSets takes as input an image, which is used for level sets initialization, and returns as output the same image at the end of the evolution. Level sets initialization can also be performed from the points of a vtkPolyData object, as in the case of initialization from centerlines. Two more images are used as input for the computation of the inflation (a scalar field, such as source image gradient magnitude) and the force (a vector field, such as source image gradient) terms. The evolution parameters and the number of iterations to perform with that parameters are also set. At the end of the specified number of iterations it is possible to change parameter values.

Single vessel evolution is performed instantiating multiple vtkLevelSets classes, and the merging step is handled outside the vtkLevelSets classes.

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### 2.2.4 Application to blood vessel tridimensional modeling

As far as the application of this level set method to the blood vessel three dimensions modeling are concerned, it is important to underline that this technique is widely applied, e.g.: [2], [12], [29], [30] and [31] and references therein. This methods starts by performing the initialization inside the vessel we are interested in. Carefully looking at equation (2.4), we note that single points turn into spheres, due to the inflation term. These spheres could merge together and the surface during the evolution (and, also, at the end of the process) can be extracted by contouring the 0 -level set of $F(\mathrm{x}, t)$ using a proper method.

About the inflation term, it is deactivated when the 0 -level set gets very close to the wall of the vessel. In that region the attraction term is activated in order to ensure the convergence.

There are many methods (see [4], [27] and [28]) that have been proposed to automate $L S S$ evolution, from the initialization till the convergence on the wall. Nevertheless, dealing with generic vessel segments, we think that it is better to perform a $L S S$ evolution driven by an operator, in order to make it easier the control when acquisition artifacts affect the angiographic images. This is a good way to avoid the application of Gaussian-smoothing filters to the images for the calculation of imagebased terms and, this way, we reduce the effects that those filters could have on reconstruction accuracy. Also, this method allows the operator to receive feedback on $L S S$ evolution:

- plots of 0-level set over serial angiographic images or their gradient magnitude images;
- intermediate polygonal surfaces rendering;
- the maximum value of $L S S$ speed.

This latter quantity is employed to automatically detect convergence in the last phase of $L S S$ evolution, the one driven by attraction potential, after a convergence tolerance has been fixed.

This method presents a problem if we perform it over an entire vessel tract that can include branches and vessels of different scales: in this case level sets evolution can become difficult to tune, because vessel wall will be approached earlier in smaller vessels than in bigger ones, so that we can not use a single set of parameters for all scales. Using a single level sets evolution for an entire branching vessel tract presents another problem, linked to the CFL condition. $\Delta t$, in fact, may become very small because we encounter an image region of low gradient, and this slows down the evolution for the remaining portion of the model. But solutions to both the problems can be found, either by including locally adaptive $w_{1}, w_{2}$ and $w_{3}$ parameters in equation (2.4) or by adaptive grids in which CFL condition is satisfied acting on $h$, by locally modifying the image grid (i.e. a bigger "h" for a bigger vessel). But this approach is not easy to be implemented. Following what the VMTK developers did,
we instead adopt a simpler approach, made possible by the particular nature of our problem: since evolution parameters are dependent on vessel scale, we let level sets evolve into single vessels, or into groups of vessels of similar scale. Thanks to the implicit nature of $L S S$, we later merge the $F_{i}(\mathbf{x})$ functions resulting from N single vessel evolutions, and finally extract model surface by contouring the merged $F_{m}(\mathbf{x})$ function with the marching cubes algorithm. Since in the sparse field approach the $L S S$ represents the signed distance function from the 0-level set, with negative values inside the model and positive values on the rest of the domain, merging of $N$ level sets scalar fields is performed selecting their minimum value

$$
\begin{equation*}
F_{m}(\mathbf{x})=\min _{i \in[1, N]} F_{i}(\mathbf{x}) \tag{2.9}
\end{equation*}
$$

The evolution of $L S S$ into vessels of similar scale has two beneficial effects. The first is the increased ease of interactively setting evolution parameters (e.g. to switch from inflation to attraction to gradient magnitude ridges). The second is that similar solution changes are computed over the domain, so that more adequate time step values are chosen by the CFL condition, effectively speeding up evolution.

## 3. VMTKGui user's guide: from DICOM to mesh generation

The theory is when you know everything and nothing works. The practice is when everything works and nobody knows why. We have put together theory and practice: there is nothing that works.. and nobody knows why!

Albert Einstein

This chapter is the VMTKGui user's guide: this is the crux of this job. The structure of this chapter is the following ${ }^{1}$ :

- in the first one we discuss about the problems and the difficulties we met, while developing the code;
- the second subsection offers the instructions to use a certain tool;
- in the third one, an example ${ }^{2}$

In this example we start from the very beginning (i.e. we begin launching the tool and loading the DICOM-series, till the mesh creation, step by step). The patient in the example is Mr. Bianchi and we extract a branch

1 Each section (except the first one because it is not technical) is divided into 3 subsections.
2 To write and develop the third subsection at each step, the paper by J. Bonnemain (see [5]) has been studied and followed; we reproduced the same steps that Bonnemain did with VMTK with our new tool. As it is shown in the mentioned paper, through VMTK it is possible to reconstruct the desired geometry and then to build a mesh over it. Also, as already discussed, the problem is that we need to learn lots of nonsimple and non-intuitive commands to be written in the command line. What we would like to do with this tool is to do the same things that VMTK does but, and this is a VMTK's great advantage, creating a GUI. So that, users who are not either computer scientists or engineers could use this tool without learning any command, but simply reading what the buttons in the new interface say and following this user's guide.

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of the descending aorta from a thoracic $C T$-scan; that's why the file we read is named "aorta" and we give the same name to the file we write.

Before writing the VMTKGui user's guide, it is important to give an overview of the structure of the code. This wants to be simply an introduction. You can contact the author if you are interested in the Doxygen documentation, to better understand the structure of the code.

Let's start with a brief overview of the implemented files:

- vmtkgui.py: this is the main file. It is used to build a link between the different files and to execute the program. In order to be a good main file it has to be short and clear. It is divided in two sections: in the first section there are the calls to the different functions, while in the second one there is the command to execute the program;
- vmtkinterface.py: as the name suggests, this file is the interface between the GUI built with VMTKGui and the VMTK software. This module contains all the VMTK functions needed for the VMTKGui tool;
- canvas3D.py: this module is made up of two classes. This two classes has to create an area to draw the DICOM images in and the 3D reconstruction. Also, through this module it is possible to manage the interaction between the mouse and the window where we are representing the reconstruction;
- vmtkcenterlineswithrenderer.py: this file is very important to make it possible to use the same render. Without this file, using the "original" VMTK function vmtkcenterlines, we create a new render when we invoke it. Since we need to use the same renderer we define this new function that allows us to have a function with the same features of the original one, using the same window;
- gui.glade: this is the file that allows to build the GUI. It is a file automatically generated by Glade and it is structured in a style that is xml-like.

As one can see, there are not many files involved in this algorithm: that means that our goal to keep the most of the original software (i.e. $V M T K)$ has been achieved. And this is certainly a good starting point, in order to have a "clear and user friendly" tool.
Let's now start, step-by-step, to explain the usage of the software.

### 3.1 Pre-requisites, installation and launching the tool

The tool VMTKGui is built for a $U N I X$-based system ${ }^{3}$. So, a first problem is that you must use Linux to run the tool. Also, VMTKGui does
3 It is important to underline that in this report we work on a Debian-based system. In this case the software used has $a d-h o c$ packages for Debian-based distros that make it very easy to install the software needed. For other distros, you may need to compile the packages.
not need any installation: it is enough to launch in from the command line, once all the pre-requisites are satisfied. Hence, let's analyze these pre-requsites:

- VMTK: the latest version is downloadable from http://www.vmtk.org. On the same page one can also find the instructions to install and to use this software;
- Python: see http://www.python.it in order to download and install it;
- VTK: once again, on http://www.vtk.org there are all the information needed to download and install VTK.

When all the software needed is installed, it is possible to download the files of the tool VMTKGui and to copy them into the desired folder. Once all the files are properly copied, the user has to open a terminal and change the directory, entering the folder where the VMTKGui files have been saved. Everything is now ready and we can launch/use the tool.
To launch the tool the right command to write in the terminal (see Figure 3.1) is

## python vmtkgui.py.



Figure 3.1. This is the command used to launch the VMTKGui's GUI.

The GUI appears (see Figure (3.2)) and the user can start using the software.


Figure 3.2. This is the GUI as it appears once we launch the tool VMTKGui.

### 3.2 Choosing the patient and loading the DICOM images

It is now necessary to insert the patient's name and the name of the file we want to analyze. In this example we want to examine the descending aorta and our patient is Mr. Bianchi. The first thing to do is to write "bianchi" in the right line (see Figure (3.3)) and press "Ok". Then, we can choose the name that we want to give to our file (e.g. "aorta" " as you can see in the same Figure (3.3)) and we press, once again, "Ok" to confirm our choice.


Figure 3.3. Insertion of the patient's name and of the name of the file we want to analyze.

4 Note that the user does not have to care about the file extensions and the suffix: the tool provides both of them automatically, in a smart and standard way.

The second box that deals with the "Output file name" (see Figure (3.3)) may be left void. In this case, the file we create takes the same root-name of the DICOM-series.

We now have to load the chosen DICOM-series: it is now enough to click on the Load DICOM button, as shown in Figure (3.4).


Figure 3.4. Button that we have to press in order to load our DICOM series, once that all the preliminaries have been done.

We have to wait till in the terminal we can read:

## DICOM loaded successefully: please go ahead

(as you can see in Figure (3.5)).


Figure 3.5. This message confirms that the DICOM has been loaded successefully.

Once the DICOM is loaded, we can view the $C T$ by clicking on the "Read \& View" button (see Figure (3.6)). All the preliminaries have
been done. We are now ready to go ahead.


Figure 3.6. This is the visualization of the $D I C O M$-series we load.

### 3.3 Preparing the tridimensional reconstruction

Now the DICOM is loaded and we can visualize it. The following step that the user has to do is to create a tridimensional reconstruction in order to make it possible to generate a file that can be used with VMTK and to create the mesh on it. As we can see in the next subsection, this is a key point and some problems arose, while facing it.

### 3.3.1 Problems

The first problem deals with the $C T$. In fact, it was born for visualization analysis and not for reconstruction ones. Hence, the geometry resolution is often too thin and the fidelity of the reconstruction may be a problem. That is way interpolation is needed. Also, as explained in the theoretical chapter (see Chapter 2), the method to get the reconstruction (e.g. the $L S S$ ) implies non-simple maths.
One more difficulty is that often we deal with a big volume and we need a much smaller one for our analysis. That is way - in order to reduce the the costs - the selection of a "Volume of Interest" is a smart tool to reduce the size of the problem.

Also, we have to face with the complexity of the already existing code. In fact, there is a very nested code that does not allow us to completely manipulate the source code.

### 3.3.2 Usage

To get our reconstruction, some steps are needed:

- the first step is to select a "Volume of Interest": for example, if we are interested in the reconstruction of the mitral valve and we have a thoracic CT, it would be useless (and too expensive, computationally speaking) to work on a big file. That's why the "Volume of Interest" feature is very simple but very useful: it allows the user to select a certain volume of interest and to reduce the file size, simply by clicking on the proper button.

This makes the following operations faster. Though it is not a compulsory operation, it is very useful;

- once we have saved a certain volume of interest, we have to be able to make a tridimensional reconstruction of the geometry that we want to analyze. This is done thanks to the $L S S$ technique. For the theory behind this technique the user should read chapter 2 and all the bibliography associated. What must be underlined here is that before clicking on the " $L S S$ " button we have to select some parameters $\left.{ }^{5}\right)$. Hence, the first thing to do is to choose the requested parameters and to press. Then we can make the reconstruction start, by pressing the proper button as we can see in the next subsection.
Now the user has to interact a bit with the terminal since it is necessary to press $y / n$ once in order to/not to accept the result and to press $y / n$ once, to/not to initialize another branch. Once again, to save what we have done and to quit it is necessary to press $q$;
- The last thing to do is to press the "Surface Generation" button in order to create a .vtp surface from the .vti image. Now we do have a surface and we are ready to go to the next step, that is to say to create the mesh, over the surface and/or in the volume. It is very important to be able to create both a surface mesh and a volume mesh since we could need either the former or the latter, depending on the simulation we are interested in.
After having created the surface it is necessary to smooth it and clip both the inlet and the outlet sections: in fact, the surface reconstruction has been done starting from the DICOM image and this image is pretty noisy since it takes a certain time to scan all the sections during the $C T$ scanning. Also, it is important to clip the inlet and the outlet sections: this operation makes it easier both to compute the centerline and to generate a mesh over the surface and/or in the volume (see the section 3.4). To smooth the surface it is enough to click on the right button, while to clip it, it is necessary to interact a bit with the GUI after having pressed the " i ", in order to be able to activate the image (to launch the clipping command it is necessary to click on the clipping button). The procedure is similar to the selection of a volume of interest.

5 It is important to point out that some parameters could be chosen directly in the $G U I$, while others have to be chosen from the command line.

A parallelepiped appears, we place it properly and we press the space button to clip the surface.

### 3.3.3 Example

In this subsection we present an example in order to understand how the reconstruction (explained in the previous subsection) works. This step allows the user to convert the file from the DICOM-standard format to the VMTK format. Once again, thanks to the VMTKGui, this is a very easy step, since it is enough to click on the right buttons and interact a little bit with the terminal, as explained in the following list.

- the first sub-step is to select a "Volume of Interest": since in this example we exctract a brench of the descending aorta, we are interested in the volume that includes it. Hence, we press the "Select a VoI" and then we press "i" to start our interaction with the image. Then we have to select a parallelepiped that includes the descending aorta (see Figure (3.7)), resizing and moving it with few clicks ${ }^{6}$.


Figure 3.7. In the figure above it is possible to notice the parallelepiped that cointains the part of the geometry we are intereste in.

Once the parallelepiped is chosen it is necessary to press "q", in order to quit and save a smaller and lighter file that appears like the image in the Figure (3.8);

6 With a middle-click of the mouse we can translate the parallelepiped, while with a left-click on the "little spheres" we can resize it.


Figure 3.8. This is the visualization of the Volume of Interest only.

- once we select a certain volume of interest, we have to be able to make a tridimensional reconstruction of the area we want to analyze. This is done thanks to the $L S S$ technique. Actually, this is a theoretical step since, practically, we simply need to press the "Level Set Segmentation" button and everything is done automatically. We also have to interact a little bit with the command line since we have to choose some parameters (suggested in the GUI, see Figure (3.9) and - finally - we could see the initialization of the surface we are trying to reconstruct (see again Figure (3.9));


Figure 3.9. In the picture above there is the initial guess for the $L S S$ procedure.

- the last thing to do is to press on the "Surface Generation" button (see Figure 3.10) in order to create a surface (the file extension is .vtp) from the .vti image.


Figure 3.10. Circled in blue the button to generate the surface.

Now we do have a surface and we have to smooth it (see fig. 3.11) and to clip both the inlet and the outlet section (see the procedure to clip a surface in the 2 Figures (3.12) and (3.13): in the first one it is possible to see the parallelepiped which indicates the region that must be clipped while in the second picture the reader could enjoy the clipped surface).


Figure 3.11. In the picture above there is the smoothed surface.

In the pictures of Figures (3.12) and (3.13) we show the procedure to clip the inlet section, only. Of course, the same can be done for the outlet section, too.


Figure 3.12. In the picture above there is the clipping parallelepiped.


Figure 3.13. In the picture above there is the clipped surface: the clipping has been done before smoothing the surface.

### 3.4 Computing centerline(s) and generating mesh

In this section we deal with two very important features: the computing of the centerlines and the mesh generation. Computing the centerline of a vessel is very useful since centerlines are a powerful tool to describe vessels geometry.
As far as the meshes are concerned, it is clear that they are very importand for a FEM analysis and/or for the study of a $C F D$ simulation.

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### 3.4.1 Problems

The two features detailed in this section present some criticism:

- Computing of the centerlines: the idea of computing the centerlines is very simple from a theoretical point of view. In fact, it is enough to connect the centers of the vessel at each secion/slide ${ }^{7}$. Practically, this is very difficult since we do not have a vessel the is straight, perpendicular to the $C T$-slides and that does not have a circular section. So, the definition of the center itself is not clear and unique.
Also, since the dimensions could be very small, a small absolute error could be a big relative one, thus producing a wrong computation of the centerlines. Hence, the results are far from the exact ones. E.g., thinking about the insertion of a stent in a certain point, having a wrong centerlines means to insert the stent with the wrong orientation with all the problems that this can cause.
- Mesh generation: due to the complexity of the geometry, the mesh generation is a crucial point. We have to get the right compromise between a good space-resolution and a not-too-big mesh. Also, since the surface may be noisy, with an accurate choice of the mesh parameters, we could get the good effect of a smoothing.


### 3.4.2 Usage

3.4 To compute the centerline of a vessel is matter of seconds: just a single click on the right button and a window appears. In this window (as it is shown in the next section) there is the tridimensional reconstruction we did with clipped inlet and outlet. Each inlet and outlet section has a number id: the user has to indicate in the command line which are the inlet sections and which are the outlet ones. If the software could not recognize any inlet/outlet sections, it is possible to select them manually. This is done by positioning the mouse where we want to place the inlet/outlet section(s) and pressing the space bar.

Finally, the last step we could do, is the mesh creation: this step is very important since the mesh generation is the starting point for the $F E$ analysis. By default this feature creates a volume mesh, but - if necessary - we could generate a surface mesh, too. The goal of this step is to create a mesh that is supported by different CFD solvers. It is enough to click on the right button in order to generate the desired mesh. What we have to do is to choose the edgelenght parameter: this parameter is very important since it is the absolute nominal length of a surface triangle edge. Once we have generate the mesh it is possible to transform it in the right format, according to the CFD solvers the user wants to use.

This is done by typing

[^2]```
vmtkmeshwriter -ifile file_name.vtu -entityidsarray
CellEntityIds -ofile file_name.lifev
```

in the command line ${ }^{8}$.

### 3.4.3 Example

As explained in the subsection 3.4, both to compute centerlines and to generate a mesh are important features that the tool VMTKGui offers: with a single click on the proper button (see fig. 3.14 in the previous section) we can compute the centerline of the descending aorta.


Figure 3.14. The figure shows the button (circled in blue) to compute the centerline(s).

Also, in Figure (3.15), we can see both the vessel reconstruction with the ids and the terminal where we have to insert which is/are the inlet(s) ( 0 , in this case) and which is/are our outlet(s) (1, in the example presented here) are shown and the surface as it appears before the centerline(s) is/are computed.

8 As it is shown in the section 4.2, one of the target is to insert a button in the GUI that allows to convert the mesh and to make it possible to choose the mesh dimension without modifying the source code.


Figure 3.15. This figure shows the reconstructed geometry with the ids used to identify each possible inlet/outlet. There is also the terminal where we have to insert the inlet(s) and the outlet(s).

In this window there is the tridimensional reconstruction we did with capped inlet and outlet. Each inlet and outlet section has a number id: the user has to write in the command line which are the inlet sections and which are the outlet ones. In this example - since we are dealing with a simple geometry - we have only 2 sections that could be either the inlet or the outlet of the flow. After having chosen which is the inlet and the outlet, the tool starts to compute centerline(s) and the result is presented in Figure (3.16).


Figure 3.16. This is the reconstruction of the centerline of the brench of the descending aorta we have exctracted.

Also, if we are interested in a $F E$ analysis and not in simulating the insertion of a stent, we do not need the centerline computation, but we
would need to generate a mesh.
We have, by default, the generation of a volume mesh but we can also get a surface mesh ${ }^{9}$, when the surface mesh is our goal. What we would like to do is to create a mesh that is readable from any $C F D$ solver. It is enough to click on the right button (see Figures (3.17) and (3.18)) in order to generate a mesh. What we have to do is to choose the edgelenght parameter: this parameter is very important since it is the absolute nominal length of a surface triangle edge (see the difference beetween the Figure (3.17) and Figure (3.18): in these two pictures the only parameter that changes is the absolute edgelenght. As one can immediately notice, the dimension of the triangles in the two pictures is very different and some details are better displayed in the thicker mesh reconstruction).


Figure 3.17. In this figure we choose a edgelenght parameter of 1.5 .


9 This option has not been implemented yet, as you can read in the chapter 4 , where conclusion and future developements are given.

Figure 3.18. In this figure we choose a edgelenght parameter of 3.0.

## 4. Conclusions and future developments

The future belongs to those who believe in the beauty of their dreams.

Anna Eleanor Roosevelt (1884-1962)

Besides the theoretical concepts (chapter 2) and the user's guide (chapter 3 ), it is very important to write a conclusive chapter in which we presents a final digest of this report and where we can discuss about the possible future developments to improve the tool presented here. Also, this is a section in which we present an honest balance between the ideal targets vs. the caught ones.
That being so, this final chapter is divided into two sections: the first section deals with a balance between the targets we wanted to reach vs. the target we reached, explaining which are the reasons that did not allow us to catch all the goals we wanted to reach. In the second one we provide some cues in order to make it possible, for the interested reader, to develop and improve the VMTKGui tool and to realize the VirtualValveStent tool ${ }^{1}$.

### 4.1 Conclusions

Honesty: this is the keyword of this section. Here we sum up all the results we got and we analyze which are the targets we did not reach, trying to explain the reasons that prevent us from reaching them.

The very first thing to say is that we are very happy and proud of what we did and that we are sure that this tool is very useful.
Moreover, let's start saying that this project started with the idea to create the VirtualValveStent tool and not the VMTKGui tool. The original request came from "Symetis", a Swiss firm which deals with stent

1 The author strongly believe in the VirtualValveStent project and is available for any question about the implemented algorithm. Feel free to contact him, if interested

## Chapter 4

fabrication. We immediately observed that this was a too heavy project to be developed in a master thesis. That is why we decided to divided the master project in three different sub-projects. And we decided to develop only the first of this sub-targets. This has been done to avoid to begin with a too demanding work that we would have given up in the middle of the project itself.
Also, there is something to say about the programming language used: we started modifying the $C++$ libraries and not the Python ones. But it was more complicated and that choice did not offer any particular advantage. That is why we have found it very useful and smart to change our mind, working with Python. In fact, VMTK has the right interface for a Python-coding.
Furthermore, since the source code is terribly nested, we have found it very difficult to supplement the new code with the already existing files and it took a long time to cope with this matter. That is why it has been impossible, up to now, to remove each kind of interaction with the command line. As we will see later (read section 4.2), this is going to be a very challenging point to be developed in the future.

What it is very important to underline is that we spent much time and many resources to develop such a tool, with the hope that it could be a help in the medical field. Also, we hope that the reader could find it useful the "Users' Guide" available in chapter 3 and also the Python code reported in Appendix B.

To end this report, the author wants to assure that he works honestly and with nothing but a target: to make something useful and available for other people. This could sound crazy, but he thinks that he is not "a number" (i.e. the graduation score): that is why he decided to develop such a tool that does not match with an aeronautical contest.

### 4.2 Future developments

In this final section, all the possible future developments are summarized: this part is very important since it has the hope to avoid to make this report and above all the VMTKGui tool a mere loss of time. We strongly believe in this tool and in the possible developments it offers. That is why we think it would be mindless to throw to the wind what we have done. About this section, it is divided into two subsections: the first deals with the short-term targets, while in the second one the longer-term goals are listed.

### 4.2.1 Short-term targets

In this first subsection the short-term targets are presented: these targets deal with the presence of some bugs in the code. Bugs that can be fixed soon. Also, there are some improvements that require a pretty simple work in order to be done. Here is a list:

- the VMTKGui tool can be considered complete. Nevertheless, some features could be improved. For example, it could be useful to add the possibility to choose the edgelenght parameter directly from the $G U I$, avoiding to modify the source code (even tough it is nothing but a number that must be changed);
- another feature that we want to insert in the VMTKGui tool is the button that allows to choose to generate either the surface or the volume mesh;
- also, it would be smarter to have pop-up windows (since they draw the user's attention much more than a black command-line) instead of the an interaction with the terminal (which is boring and, at times, not so "visible"). We write here this target, even tough we suppose it probably takes a long time to completely eliminate any interaction with the command line, since the source-code is very nested;
- also, it could be useful (but this is a not-so-important goal) to create a nicer graphic. Even tough this is not a conceptual goal, this would make the software more user-friendly and the VMTK-community and the users in general should appreciate it much more.

Once the short-term goals are reached, we can state that VMTKGui is complete and finished. Let's now check the longer-terms targets.

### 4.2.2 Long-term targets

Here, we collect the long-term goals that will be hopefully reached from any interested user. Our dream is to see, soon or later, the VirtualValveStent project ended and used for the purpose it has been thought. Let's sum up all the long-term targets that must be achieved:

- we must shape the stent properly, in order to have a correct simulation of the operation that we have to do. Actually, this is a simple target, since once the surgeon gives to the user the shape of the stent he is interested in, it is matter of minutes to reproduce it;
- once the stent has been modeled, it is important to insert it in the same window where we have our geometry reconstruction in order to be able to simulate the operation;
- once we get these two targets, the most has been done and we will have reached the purposes we wanted to reach with the VirtualValveStent project. However, there is one more step we could do, that is to say that we can automate recognizing the different geometry, giving a certain color depending on the HU value. This helps to make it easier to identify the different part of the area we are studying. We think it is honest to state here that there already exist open-source codes that do this (e.g. 3D Slicer, Osirix ${ }^{2}$ ), but we prefer to embed this feature in our own tool.

[^3]
## Chapter 4

Once we will have reached all this goals, we have a good software that allows to reconstruct a certain geometry starting from a DICOM-series. Also, we can specialize ourselves in the mitral valve area reconstruction. This will allow us to simulate the transcatheter mitral valve replacement that was the original target. The author's hope is that this will become available soon. He also thinks that - thanks to the help of many people ${ }^{3}$ he paved the road to reach that goal. The next step is to find volunteers interested in developing this tool. We are aware that it is not matter of days or weeks, but it will be a great satisfaction to complete this project and to make it available worldwide.

3 I would like to dedicate here a special thank to Dr. Simone Deparis for his great help and to Professor Alfio Quarteroni for the chance he offeres me.

Appendici

## A. Computational Fluid Dynamics

Computational Fluid Dynamics ( $C F D$ ) is the art of replacing the partial differential equations (which represent conservation laws for the mass, momentum and energy) by a set of algebraic equations which can be solved digitally.
$C F D$ provides a qualitative (and sometimes even quantitative) prediction of fluid flows, using a mathematical modeling first, then a numerical method and, finally, running software tools.
As we can see in the Figure A.1, $C F D$ is nowadays used in many different fields, from aeronautical problem, to biomedical one; from automotive, to civil engineer.

The governing equation for a fluid, according to the fundamental laws of mechanics are the equation for the conservation of the mass and the equation for the conservation of the momentum:

$$
\begin{equation*}
\frac{\partial \rho}{\partial t}+\nabla \cdot(\rho \mathbf{u})=0 \tag{A.1}
\end{equation*}
$$

and

$$
\begin{equation*}
\rho \frac{\partial \mathbf{u}}{\partial t}+\rho(\mathbf{u} \cdot \nabla) \mathbf{u}=-\nabla p+\rho g+\nabla \tau_{i j} \tag{A.2}
\end{equation*}
$$

Also, there is the energy equation. These three equations form a set of coupled nonlinear PDEs. And this system, in the most of the engineering problems, can not be solved analytically. However, we can solve this system thanks to the Computational Fluid Dynamics ( $C F D$ ).

To justify this appendix, it is important to underline that biomedical engineering is a field that is growing rapidly and it uses $C F D$ for studies about the circulatory and respiratory systems. As an example, we show below (see Figure A.2) a blood pump that plays the role of heart in the open-heart surgery.

## Chapter A



Figure A.1. Some of the possible applications $C F D$ can be used for.


Figure A.2. $C F D$ in blood pump that plays the role of heart in the open-heart surgery.

To solve problems in CFD, it's necessary to specify the problem, i.e. its geometry, the flow conditions and the requirements for simulation (precision level, require time, solution of the interest parameters).

So, why is $C F D$ so important? In $C F D$ it's possible to model and evaluate the fluid flow performance in our study model. The application of CFD simulations offers a set of advantages when compared to theoretical and experimental studies:

- it has purchase and operation low cost;
- it offers detailed information about the fluid flow studied;
- it allows the quick change of parameters in the flow analysis;
- it allows simulating flows in detailed and complex geometries and study phenomena impossible to do in experimental model (ex: explosions).

But, an important warning we want to remark is that the CFD does not substitute the theory and experience; we should always make an ap-
proach of three, to interpret the results. The comparison with experience or with simple cases, the solution of which is known, gives us the accuracy achieved by the simulation. In fact it could be dangerous to perform a simulation without any experiment and/or theoretical comparison.

## A. 1 How CFD works

The strategy of $C F D$ is to replace the continuous problem domain (with infinite degrees of freedom) with a discrete domain (with a limited number of dof).


Figure A.3. Continuous and discrete domain: from the analytical to the numerical problem.

Analyzing the two domains (the continuous and the discrete one) in Figure A.4, and calling $q$ a certain quantity we are interested in, in the continuous case we know

$$
q=q(x), 0<x<1,
$$

while in the discrete problem we only know the value of $q$ in the different nodes, i.e.

$$
q_{i}=q\left(x_{i}\right), i=1,2, . ., N
$$

So, with $C F D$ we know the values of the relevant variable at the grid points. We have to interpolate, to get the values at different locations. On the other hand, both the equations themselves and the boundary conditions are continuous: we have to extract the values in the grid points. Hence, we have a large system of coupled algebraic equations.
A. 2 Discretization: "Finite Difference method" vs. "Finite Volume method"

In this section we will introduce the two techniques used to discretize the system of PDEs.

## Chapter A

## A.2.1 Finite Difference method

In this subsection (since this appendix wants to be an introduction to $C F D$ ) we analyze a 1D linear equation, i.e.:

$$
\begin{equation*}
\frac{d u}{d x}+u=0 ; 0 \leq x \leq 1 ; u(0)=1 \tag{A.3}
\end{equation*}
$$

Let's consider the grid in Figure A.4.


Figure A.4. Grid used to solve the Equation (A.3).
Now we can write the Equation A. 3 on the grid points, thus leading to the following:

$$
\left(\frac{d u}{d x}\right)_{i}+u_{i}=0
$$

We have to evaluate $\left(\frac{d u}{d x}\right)_{i}$. We can write $u_{i-1}$ in a Taylor's series:

$$
u_{i-1}=u_{i}-\Delta x\left(\frac{d u}{d x}\right)_{i}+\mathcal{O}\left(\Delta x^{2}\right)
$$

that leads to:

$$
\left(\frac{d u}{d x}\right)_{i}=\frac{u_{i}-u_{i-1}}{\Delta x}+\mathcal{O}(\Delta x)
$$

where $\mathcal{O}(\Delta x)$ is the truncation error. Excluding higher order terms we can write:

$$
\frac{u_{i}-u_{i-1}}{\Delta x}+u_{i}=0,
$$

which is an algebraic equation.

## A.2.2 Finite Volume method

In the finite volume method for discretization, we have to introduce the "cells" and the "nodes". If you look at Figure A.5, you can see a cell and the for vertexes are called nodes.


Figure A.5. Rectangular cell used for the finite volume approach.
Using this approach, we have to apply the integral form of the conservation equations. As far as the mass conservation is concerned, we can write:

$$
\begin{equation*}
\int_{S} \mathbf{u} \cdot \mathbf{n} d S=0 \tag{A.4}
\end{equation*}
$$

This equation implies that the net volume flow inside the control volume is 0 . Considering the cell of Figure A.5, the velocity at the face $i$ is $\mathbf{u}_{i}=u_{i} \hat{i}+v_{i} \hat{j}$. Applying the mass conservation (through Equation (A.4)) to the control volume (i.e. the cell), we have:

$$
-u_{1} \Delta y-v_{2} \Delta x+u_{3} \Delta y+v_{4} \Delta x=0
$$

Once again, we have an algebraic equation that can be solved.
And the same can be done both with the momentum and the energy equation. In this case - as in the "Finite Difference" approach - we have an algebraic system that can be solved.

## A. 3 Main difficulties

It is clear that $C F D$ must have its drawback, too. We analyze here the 2 main problems that may arise while performing a $C F D$ analysis. The first problem is the numerical stability of the method used. The second, is the turbulence modeling.

## A.3.1 Numerical Stability

We just give here a brief introduction to this problem. Depending on which kind of method we are using, i.e. either implicit or explicit, we may have to face with the numerical instability.

Explicit method, in fact, needs a temporal step that must be smaller than a certain value. This value is known as the Courant number, $C$. The $C F L^{1}$ condition states that $C \equiv \frac{c \Delta t}{\Delta x} \leq 1$.
If the limitation due to the $C F L$ condition is too restrictive, we can use an implicit method. Of course, we have a fee to be paid: we have to solve a system of algebraic equations, instead of solving each equation detached from the others.

## A.3.2 Turbulence Modeling

Finally, let's introduce the problem of the turbulence modeling. The most of the flows are turbulent ${ }^{2}$, hence the turbulence must be considered when we are studying a high Reynolds number flow.

1 Courant, Friedrichs and Lewy
2 Laminar flows are characterized by smoothly varying velocity fields in space and time in which individual "laminae" (sheets) move past one another without generating

## Chapter A

The equations governing a turbulent flow are, as for the laminar flows, the Navier-Stokes equations. The problem is that - in this regime - the solution is much more complicated (due to fluctuations of the variable we want to evaluate). The first idea is to solve the equations with the Direct Numerical Simulation (DNS). This means that we resolve all the spatial and temporal scales. This offer an accurate results, but it is very expensive, computationally speaking.
The alternative to DNS are the Reynolds Averaged Navier Stokes (RANS) equations. They care about the mean velocity and pressure. But models are needed, in order to close the problem. And the keypoint is to be able to model the small scales properly. There are myriads of turbulence models. And each $C F D$ solver allows us to choose the most appropriate model.

The most used is the $k-\epsilon$ model: this mean that we model two turbulen parameters, i.e. the turbulent kinetic energy and the turbulent energy dissipation.
Since this appendix wants to be nothing but an introduction, we recommend the interested reader to refer to [10], [18], [32], [16] and [35].

[^4]
## B. The implemented code

In this chapter we list all the files needed to run the tool we have developed. This is a very technical appendix and it is addressed to people who want to develop and study what there is under the hood.
B. 1 vmtkgui.py

This is the "main" file and it contains all the links between the different files.

```
## @package vmtkgui
# This is the main module. To be a good main, it needs to
    be short and clear: that is why it simply calls the
    functions we need. All the functions are contained in
    different modules.
# At the end of the module, there is the execution of the
    module.
#!/usr/bin/python
try:
        import gtk
        import gtk.glade
except:
            sys.exit(1)
# from vmtk import pypes
import vmtkinterface
import vtkcones
import math
import canvas3D
from gtk import gdk
import vtk
from vtk import *
## This class contains a certain number of functions that
        are invoked when a button is clicked. And the target of
        this functions is simply to call the corresponding
        function in another file. The functions in the new file
        (see vmtkinterface.py) do what the users wants to do
        clicking on the button.
class VmtkGui:
```


## Chapter B

```
## The constructor.
# @param self The object pointer
def ___init___(self): # (original version)
#Set the Glade file
self.gladefile = "gui.glade"
#This is the command to open my GUI
    self.wTree = gtk.glade.XML(self.gladefile)
        #(original version)
    #Create our dictionay and connect it
dic}={ "on__name__in_clicked" : self.call_namein,
            "on__name__out__clicked" : self.call__nameout,
            "on_file__view_clicked" : self.call_fileview,
            " on__patient_clicked" : self.call__patient,
            " on__load__DICOM_clicked " :
                self.call__loadDICOM,
            " on__img_viewer__clicked " :
                self.call_imageviewer,
            "on_VOI_clicked" : self.call__VOI,
            "on__Lev__Set_Seg_clicked " : self.call__LSS,
            "on__surf__gen_clicked" : self.call__SurfGen,
            " on_sm__sur_clicked" : self.call__SmoothSurf,
            " on__gensm__sur__clicked" :
                self.call__GenSmoothSurf,
            " on_surf_clipp_clicked " :
                self.call__SurfClipp,
            " on__CenterLines_clicked " :
                self.call_CenterLines,
                "on__Mesh__Gen__clicked" : self.call_MeshGen,
            " on__viewimg__clicked " : self.call__viewimg,
            " on__viewsurf__clicked" : self.call__viewsurf,
            " on__viewmesh__clicked" : self.call_viewmesh,
            " on__readviewimg__clicked" :
                self.call_readviewimg,
            " on_readviewsurf__clicked " :
                self.call_readviewsurf,
            " on__readviewmsh_clicked " :
                self.call_readviewmsh,
                " on__setvalues__clicked" : self.call__setvalues,
                "on_MainWindow__destroy" : gtk.main__quit,
                "on__imagemenuitem5__destroy" : gtk.main__quit}
self.wTree.signal__autoconnect(dic)
# defining new Canvas
    self.vtkda =canvas3D.Canvas3D(None)
    self.vtkda.show()
# adding Canvas to gtk
hbox = gtk.HBox(spacing=5)
hbox.show()
hbox.pack_start(self.vtkda)
# setting window to widget
    self.window = self.wTree.get__widget(" hbox2")
    self.window.connect("destroy", gtk.main__quit)
    self.window.connect("delete__event " , gtk.main__quit)
    self.window.add (hbox)
```

```
    self.window.set__size__request(800, 600)
```

    self.window.set__size__request(800, 600)
    # self.window.show()
    # self.window.show()
    self.ren = vtk.vtkRenderer()
    self.ren = vtk.vtkRenderer()
    self.ren.SetBackground(.95, .95, .95)
    self.ren.SetBackground(.95, .95, .95)
    self.vtkda.GetRenderWindow().AddRenderer(self.ren)
    self.vtkda.GetRenderWindow().AddRenderer(self.ren)
    # define instance of VmtkInterfacevtkWindow
    # define instance of VmtkInterfacevtkWindow
    # self.vtkcones = vtkcones.vtkWindow(self.wTree,
    # self.vtkcones = vtkcones.vtkWindow(self.wTree,
        self.ren)
        self.ren)
    self.vtkcones = vtkcones.vtkWindow(self.ren)
    self.vtkcones = vtkcones.vtkWindow(self.ren)
    # define instance of VmtkInterface
    # define instance of VmtkInterface
    self.vmtkinterface =
    self.vmtkinterface =
        vmtkinterface.VmtkInterface("img", self.ren,
        vmtkinterface.VmtkInterface("img", self.ren,
        self.vtkda)
        self.vtkda)
    self.vmtkinterface.input_filename = None
    self.vmtkinterface.input_filename = None
    
## Function used to read the name of the patient

## Function used to read the name of the patient

# @param widget gdk widget

# @param widget gdk widget

def call__patient (self, wTree):
def call__patient (self, wTree):
self.vmtkinterface.read__patient(self.wTree)
self.vmtkinterface.read__patient(self.wTree)

## Function used to read the name of the file we want to

## Function used to read the name of the file we want to

    use
    use
    
# @param widget gdk widget

# @param widget gdk widget

def call__namein (self, wTree):
def call__namein (self, wTree):
self.vmtkinterface.read_in__name(self.wTree)
self.vmtkinterface.read_in__name(self.wTree)

## Function used to read the name of the file we want to

## Function used to read the name of the file we want to

    use
    use
    
# @param widget gdk widget

# @param widget gdk widget

def call__nameout (self, wTree):
def call__nameout (self, wTree):
self.vmtkinterface.read__out_name(self.wTree)
self.vmtkinterface.read__out_name(self.wTree)

## Function used to read the name of the file we want to

## Function used to read the name of the file we want to

    use
    use
    
# @param widget gdk widget

# @param widget gdk widget

def call_fileview (self, wTree):
def call_fileview (self, wTree):
self.vmtkinterface.file_to__view(self.wTree)
self.vmtkinterface.file_to__view(self.wTree)

## Function used to read the name of the file we want to

## Function used to read the name of the file we want to

    use
    use
    
# @param widget gdk widget

# @param widget gdk widget

def call__setvalues (self, wTree):
def call__setvalues (self, wTree):
self.vmtkinterface.setvalues(self.wTree)
self.vmtkinterface.setvalues(self.wTree)

## Function used to load a DICOM file and to convert the

## Function used to load a DICOM file and to convert the

    DICOM in a proper format for vmtk
    DICOM in a proper format for vmtk
    
# @param self The object pointer

# @param self The object pointer

# @param widget gdk widget

# @param widget gdk widget

def call__loadDICOM (self, widget):
def call__loadDICOM (self, widget):
\# if not self.vmtkinterface.input_filename:
\# if not self.vmtkinterface.input_filename:
\# self.vmtkinterface.input_filename = "example"
\# self.vmtkinterface.input_filename = "example"
\# if not self.vmtkinterface.output_filename:
\# if not self.vmtkinterface.output_filename:
\# self.vmtkinterface.output_filename =
\# self.vmtkinterface.output_filename =
self.vmtkinterface.input_filename
self.vmtkinterface.input_filename
\# if not self.vmtkinterface.input_filename:

```
    # if not self.vmtkinterface.input_filename:
```


## Chapter B

```
    # print "Insert\sqcupthe 
        want 
    # else:
    self.vmtkinterface.loadDICOM(self.vmtkinterface.input_filename,
        self.vmtkinterface.output_filename)
## Function used to view the image (after havindg loaded
        the DICOM file and converted it in a more suitable
        format)
# @param self The object pointer
# @param widget gdk widget
def call_imageviewer (self, widget):
        # if not self.vmtkinterface.input_filename:
        # print "Insert the }\ddagger\mp@subsup{\mathrm{ name}}{\sqcup}{
            want\sqcuptobload"
        # else:
        self.vmtkinterface.test = 1
        self.vmtkinterface.imagereader(self.vmtkinterface.input_filename)
        self.vmtkinterface.imageviewer()
## Function used to view the image (after havindg loaded
        the DICOM file and converted it in a more suitable
        format)
# @param self The object pointer
# @param widget gdk widget
def call__readviewimg(self, widget):
        self.vmtkinterface.flag = 0
        self.vmtkinterface.read__view()
## Function used to view the image (after havindg loaded
        the DICOM file and converted it in a more suitable
        format)
# @param self The object pointer
# @param widget gdk widget
def call_readviewsurf(self, widget):
        self.vmtkinterface.flag = 1
        self.vmtkinterface.read__view()
## Function used to view the image (after havindg loaded
        the DICOM file and converted it in a more suitable
        format)
# @param self The object pointer
# @param widget gdk widget
def call__readviewmsh(self, widget):
        self.vmtkinterface.flag = 2
        self.vmtkinterface.read__view()
## Function the allows the user to exctract a Volume of
        Interest
# @param self The object pointer
# @param widget gdk widget
def call_VOI (self, widget):
    self.vmtkinterface.VOI(self.vmtkinterface.output_filename)
## This function just performs a Level Set Segmentation,
        i.e. it adjusts contrast and so on to have a better
        generated surface
    # @param self The object pointer
    # @param widget gdk widget
def call_LLSS (self, widget):
    self.vmtkinterface.LevSetSeg(self.vmtkinterface.output_filename)
```

```
\#\# This is the function to create a surface from the
        DICOM file, in order to be able to compute it easily
\# @param self The object pointer
\# @param widget gdk widget
def call_SurfGen (self, widget):
    self. vmtkinterface. SurfGen (self.vmtkinterface.output_filename)
\#\# This is the command we need in order to smooth the
        surface.
\# @param self The object pointer
\# @param widget gdk widget
def call_SmoothSurf (self, widget):
    self.vmtkinterface.SmoothSurf(self.vmtkinterface.output_filename)
\#\# This is the command we need in order to smooth the
        surface.
\# @param self The object pointer
\# @param widget gdk widget
def call__GenSmoothSurf (self, widget):
    self.vmtkinterface. GenSmoothSurf (self.vmtkinterface.output_filename)
\#\# This command allows us to clip the volume. This is
        used to have a better top/bottom surface and to make
        it easier to compute the normal
\# @param self The object pointer
\# @param widget gdk widget
def call_SurfClipp (self, widget):
    self. vmtkinterface.SurfClipp(self.vmtkinterface.output_filename)
\#\# Function used to compute the centerlines
\# @param self The object pointer
\# @param widget gdk widget
def call_CenterLines (self, widget):
    self.vmtkinterface. CenterLines (self.vmtkinterface.output_filename)
\#\# Function needed to generate a mesh (if needed :-) )
\# @param self The object pointer
\# @param widget gdk widget
def call_MeshGen (self, widget):
    self.vmtkinterface. MeshGen(self.vmtkinterface.output_filename)
\#\# Function used to load a DICOM file
\# @param self The object pointer
\# @param widget gdk widget
def call_dicom_path (self, widget):
    print "Trying to \(_{\sqcup}\) load \(_{\sqcup}\) the \(\sqcup \mathrm{DICOM}_{\sqcup}\) file"
    \# planeWidgetX. InteractionOff ()
    \# planeWidgetY. InteractionOff ()
    \# planeWidgetZ. InteractionOff ()
    \# interactorStyle. EnabledOn()
\#\# This is the command we need in order to smooth the
        surface.
\# @param self The object pointer
\# @param widget gdk widget
def call_viewimg (self, widget):
    self.vmtkinterface.imageviewer ()
\#\# This is the command we need in order to smooth the
        surface.
\# @param self The object pointer
```


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\# @param widget gdk widget
def call_viewsurf (self, widget) :
self. vmtkinterface.surfaceviewer ()
\#\# This is the command we need in order to smooth the
surface.
\# @param self The object pointer
\# @param widget gdk widget
def call__viewmesh (self, widget):
print "Il $\sqcup$ bottone $\sqcup$ funziona!"
self.vmtkinterface.meshviewer ()
\#\# This is tha calling to the main. We need this calling to
launch and execute the code.
if
$\qquad$ " "
hwg $=$ VmtkGui ()
gtk. main ()

## B. 2 vmtkinterface.py

In this file, as the name could suggest, we create and set all the stuff that deal with the GUI.

```
## @package vmtkinterface
# This is the module that recall and uses the vmtk
    functions (see online documentation @ 
    http://www.vmtk.org) that we want to "perform" when we
    click on a certain button.
#!/ usr/bin/python
try:
        import gtk
        import gtk.glade
except:
    sys.exit(1)
import vtk
from vtk import *
import vmtk
from vmtk import *
import vtkcones
import vmtkgui
import vmtkcenterlineswithrenderer
from gtk import gdk
import math
## This class contains the vmtk functions needed to load a
    DICOM, to make it readable from vmtk, to act on the
    image itself and to do what we need for our purpose.
class VmtkInterface:
    ## The constructor.
    # @param self The object pointer.
    # @param img the folder where the DICOM serie is
        contained.
    # @param ren It is the rendere I am going to use both
        for the valvestent and for the image.
    # @param vtkda It is the canvas we want to use for all
        our objects.
    def ___init___(self, img, ren, vtkda):
            # Preliminaries: initialization of some global
                variables
            self.subdir =
            " / home/samiam/Documents/TESI/gui__python / "
        # self.subdir
            "/usr/scratch/zampini/vmtk/working_space/patients/"
        self.vtkda = vtkda
        self.ren = ren
        self.ImgVOI = None
        self.Surface= None
        self.Image = None
        self.Mesh = None
        self.init_type =0
        self.thres_lower = 100
        self.thres_upper =}60
```


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```
self.number__iteration = 300
self.prop_scaling = 0.0
self.curve__scaling =0.0
self.adv__scaling = 1.0
self.vmtkRenderer = vmtkrenderer.vmtkRenderer ()
self.flag = 0
self.first__time = 1
# self.test = 1
# Comment or uncomment (it depends on which renderer
    we want to use - usually the following line must
    be commented)
# self.vmtkRenderer. Initialize ()
# setting RenderWindow to the already existing one
    in vtkda (it enteres in the following, if, , only
    when I have not defined the renderer yet)
if not self.vmtkRenderer.Renderer:
    self.vmtkRenderer.Renderer = self.ren
    self.vmtkRenderer.RenderWindow =
                self.vtkda.GetRenderWindow()
        self.vmtkRenderer.RenderWindow.AddRenderer(self .vmtkRenderer. Re
        self.vmtkRenderer . RenderWindow.SetSize(self . vmtkRenderer . Window
                        self.vmtkRenderer.WindowSize[1])
        self.vmtkRenderer.RenderWindow.SetPointSmoothing\
        (self.vmtkRenderer. PointSmoothing)
        self.vmtkRenderer.RenderWindow.SetLineSmoothing\
        (self.vmtkRenderer.LineSmoothing)
        self.vmtkRenderer.RenderWindow.SetPolygonSmoothing\
        (self.vmtkRenderer.PolygonSmoothing)
        # Note that if I use the
                vtkGenericRenderWindowInteractor() I get
                    image i the right window but I can not
                interact with it, while if I use the
                vtkRenderWindowInteractor() I get an
                image I can "elaborate" as I like, but
                it does not appear in the right window.
        self.vmtkRenderer. RenderWindowInteractor =
                self.vtkda.GetRenderWindow().GetInteractor ()
            self.vmtkRenderer. RenderWindowInteractor =
                vtkRenderWindowInteractor()
        # self.vmtkRenderer. RenderWindowInteractor =
                vtkGenericRenderWindowInteractor ()
            self.vmtkRenderer. RenderWindowInteractor.SetRenderWindow\
            (self.vtkda.GetRenderWindow())
            self.vmtkRenderer. RenderWindowInteractor. SetInteractorStyle\
            (vtkInteractorStyleTrackballCamera())
            self.vmtkRenderer.RenderWindow. SetInteractor\
            (self.vmtkRenderer.RenderWindowInteractor)
            self.vmtkRenderer. RenderWindowInteractor. Initialize()
self.vmtkImageViewer =
    vmtkimageviewer.vmtkImageViewer()
self.vmtkSurfaceViewer =
        vmtksurfaceviewer.vmtkSurfaceViewer()
self.vmtkMeshViewer =
        vmtkmeshviewer.vmtkMeshViewer()
self.vmtkImageViewer.vmtkRenderer =
        self.vmtkRenderer
self.vmtkSurfaceViewer.vmtkRenderer =
        self.vmtkRenderer
self.vmtkMeshViewer.vmtkRenderer =
        self.vmtkRenderer
```

```
    self.vmtkSurfaceWriter =
        vmtksurfacewriter.vmtkSurfaceWriter()
    self.vmtkMeshWriter =
        vmtkmeshwriter.vmtkMeshWriter()
    self.vmtkImageVOISelector = None
    self.input_filename= "aorta"
    self.output_filename = "aorta"
    self.patient = "bianchi"
## Function to read the name of the input file
# @param self The object pointer
# @param wTree The dictionary where I get my information
def read__patient(self, wTree):
    self.wTree = wTree
    self.patient__name = self.wTree.get_widget("patient")
    self.patient = self.patient__name.get_text()
    print "\sqcup"
    print "The\sqcuppatient is 
    print "If 
        Otherwise }\sqcup\textrm{re}-\mp@subsup{\mathrm{ type }}{\sqcup}{}\mp@subsup{\mathrm{ the }}{\sqcup\mathrm{ name!""}}{\mathrm{ !}
    print "\sqcup"
## Function to read the name of the input file
# @param self The object pointer
# @param wTree The dictionary where I get my information
def read__in_name(self, wTree):
    self.wTree = wTree
    self.in__file__name=
        self.wTree.get__widget("in_file__name")
    self.input_filename}
    self.output_filename = self.input_filename
    print "\sqcup"
    print "You}\sqcup\mathrm{ have }\sqcup\mathrm{ selected }\sqcup\mathrm{ the }\sqcup\mathrm{ file 
        self.input_filename + ".vti"
    print "If 
        Otherwise }\sqcup\textrm{re}-\mp@subsup{\mathrm{ type }}{\sqcup}{}\mp@subsup{\mathrm{ the }}{\sqcup\mathrm{ name }}{\sqcup
        want}\sqcupto\sqcupload" "
## Function to read the name of the input file
# @param self The object pointer
# @param wTree The dictionary where I get my information
def read__out__name(self, wTree):
    " " " This }\sqcup\mathrm{ function }\sqcup\mathrm{ will }\sqcup\mathrm{ read }\sqcup\mathrm{ the }\sqcup\mp@subsup{\mathrm{ name }}{\sqcup}{
        want to save" " "
    self.wTree = wTree
    self.out_file__name =
        self.wTree.get__widget("out_file__name ")
    self.output_filename = self.out_file__name.get_text()
    print "\sqcup"
    print "The }\sqcup\mathrm{ output 
        self.output_filename + ".vti"
    print "Is }\sqcup\mathrm{ this 
## Function to read the name of the file that you want
    to do
# @param self The object pointer
# @param wTree The dictionary where I get my information
def file_to__view(self, wTree):
```


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```
    self.wTree = wTree
    self.file_view = self.wTree.get_widget("file_view")
    self.filetoview = self.file_view.get_text()
    print " ""
```




```
        If }\sqcup\mathrm{ not,ure-type"
    self.test = 0
## Function to read the name of the file that you want
    to do
# @param self The object pointer
# @param wTree The dictionary where I get my information
def read_view(self):
    if self.flag = 0:
        # print "Read\llcorner&\lrcornerView\llcorneran}\perpimage"
        self.imagereader(self.filetoview [:-4])
        self.imageviewer()
        print "Well\sqcupdone.\sqcupSelect }\stackrel{|}{\llcorner
    elif self.flag = 1:
        # print "Leggi/Vedi^una\sqcupsuperficie"
        self.surfacereader(self.filetoview [:-4])
        self.surfaceviewer()
        print "Well\sqcupdone.\sqcupSelect\sqcupa\llcornernew }\stackrel{action!"}{
    elif self.flag = 2:
        # print "Leggi/Vedi\lrcorneruna\sqcupmesh"
        self.meshreader(self.filetoview [: -4])
        self.meshviewer()
        print "Well\sqcupdone.\sqcupSelect }\llcorner\mathrm{ a }\llcorner\mathrm{ new }\llcorner\mathrm{ action!"
    else:
        print " File }\lrcorner\mathrm{ not 
            file}\sqcup\mathrm{ please!"
## Function to assign certain values (chosen by the user)
# @param self The object pointer
# @param wTree The dictionary where I get my information
def setvalues(self, wTree):
```



```
        want
        self.wTree = wTree
        self.num_iter = self.wTree.get_widget("num_iter")
        self.number_iteration_str = self.num_iter.get_text()
        self.number_iteration =
            int(self.number_iteration_str)
        self.prop_sc = self.wTree.get_widget(" prop_sc")
        self.prop_scaling_str = self.prop_sc.get_text()
        self.prop_scaling = float(self.prop_scaling_str)
        self.curve_sc = self.wTree.get_widget("curve_sc")
        self.curve_scaling_str = self.curve_sc.get_text()
        self.curve_scaling = float(self.curve_scaling_str)
        self.adv_sc = self.wTree.get_widget("adv_sc")
        self.adv_scaling_str = self.adv_sc.get_text()
        self.adv_scaling = float(self.adv__scaling_str)
        print ""
        print "The}\sqcup\mathrm{ values }\lrcorner\mathrm{ has 
        print ""
    ## function used to clean the renderer
```

```
# @param self The object pointer
def clearActors(self):
    # clearing renderer
    if self.vmtkSurfaceViewer.Actor:
        self.vmtkRenderer.Renderer.RemoveActor\
            (self.vmtkSurfaceViewer.Actor)
    if self.vmtkMeshViewer.Actor:
        self.vmtkRenderer.Renderer.RemoveActor\
            (self.vmtkMeshViewer.Actor)
        if self.vmtkImageViewer.PlaneWidgetX:
        self.vmtkImageViewer.PlaneWidgetX.Off()
        if self.vmtkImageViewer.PlaneWidgetY:
        self.vmtkImageViewer.PlaneWidgetY.Off()
        if self.vmtkImageViewer.PlaneWidgetZ:
        self.vmtkImageViewer.PlaneWidgetZ.Off()
        if self.vmtkImageVOISelector:
        self.vmtkImageVOISelector.PlaneWidgetX.Off()
        self.vmtkImageVOISelector.PlaneWidgetY.Off()
        self.vmtkImageVOISelector.PlaneWidgetZ.Off()
## Function that allows us to load a DICOM and to write
    a file in the right format
# @param self The object pointer
# @param input_filename This is the name of the file
    that we want to load
# @param input_filename This is the name of the file
    that we want to create
def loadDICOM(self, input__filename, output_filename):
    print "E'}\lrcorner\textrm{la}\lrcorner\textrm{prima}\sqcup\mathrm{ volta? 
    print self.first__time
    if self.first__time == 0:
        self.ren.RemoveAllViewProps()
    self.first_time = 0
    # dicom_dir =
        "/usr/scratch/zampini/vmtk/working_space/coronaries /"
    vmtkImageReader = vmtkimagereader.vmtkImageReader ()
    vmtkImageReader.Format = "dicom"
    # vmtkImageReader. InputDirectoryName = dicom__dir
    vmtkImageReader. InputDirectoryName = self.subdir +
        self.patient + "/DICOM/"
    vmtkImageReader.Execute()
    print "\sqcup"
    print "DICOM
    print "\sqcup"
    self.Image = vmtkImageReader.Image
    self.imagewriter(output__filename + ".vti")
    print "\sqcup"
    print "File\sqcup" + output_filename + ".vti\sqcuphas }\sqcup\mathrm{ been 
        written.}\sqcup\mathrm{ Please, }\sqcup\mathrm{ go }\sqcup\mathrm{ ahead."
    print "\sqcup"
    self.test = 1
## function that allows us to view the . vti image just
    created
# @param self The object pointer
# @param input__filename The name of the.vti file we
        want to view (inserted from the user)
    def imagereader(self, output_filename):
        print "self.test"
        print self.test
        print "output_filename" + output_filename
        # if self.test=0:
```


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```
    # output_filename = self.filetoview[:-4]
    vmtkImageReader = vmtkimagereader.vmtkImageReader ()
    vmtkImageReader.InputFileName = self.subdir +
        self.patient + "/img/" + output_filename + ".vti"
    vmtkImageReader.Execute()
    self.Image = vmtkImageReader.Image
    # self.imageviewer()
    ## function that execute the function 'imagereader'
    # @param self The object pointer
    def imageviewer(self):
        self.clearActors()
        # print self.flag
        # if self.flag= 0:
        self.vmtkImageViewer.Image = self.Image
        print "\sqcup"
        print "Press 'q'`to 
        print "\sqcup"
        self.vmtkImageViewer.Execute()
        # elif self.flag=1:
    # self.vmtkImageViewer.ArrayName =
        self.filetoview
            print "ப"
```



```
            print "\sqcup"
            self.vmtkImageViewer.Execute()
    ## function that execute write a vtk-xml file
    # @param self The object pointer
    # @param output_filename This is the name of the file
    we have created
    def imagewriter(self, output_filename):
        vmtkImageWriter = vmtkimagewriter.vmtkImageWriter()
        vmtkImageWriter.Image = self.Image
        vmtkImageWriter.OutputFileName = self.subdir +
        self.patient + "/img/" + output_filename
    self.Image = vmtkImageWriter.Image
    vmtkImageWriter.Execute()
    ## function that allows us to view the .vti image just
        created
    # @param self The object pointer
    # @param input_filename The name of the.vti file we
        want to view (inserted from the user)
    def surfacereader(self, output_filename):
        print "self.test"
        print self.test
        print "output_filename" + output_filename
        # if self.test == 0:
        # output_filename = self.filetoview[: - 4]
        vmtkSurfaceReader =
            vmtksurfacereader.vmtkSurfaceReader()
        vmtkSurfaceReader. InputFileName = self.subdir +
            self.patient + "/img/" + output_filename + ".vtp"
        vmtkSurfaceReader.Execute()
        self.Surface = vmtkSurfaceReader.Surface
    ## function that execute the function 'imagereader'
    # @param self The object pointer
    def surfaceviewer(self):
        self.clearActors()
```

self.vmtkSurfaceViewer.Surface $=$ self.Surface
print " $\sqcup$ "
print "Press $\sqcup$ ' ' ' $^{\text {pto }} \sqcup$ continue "
print " $\sqcup$ "
self.vmtkSurfaceViewer. Execute ()

```
## function that allow to view a vtk-xml file
# @param self The object pointer
# @param output_filename This is the name of the file
    we have created
def surfacewriter(self, output_filename):
    vmtkSurfaceWriter =
        vmtksurfacewriter.vmtkSurfaceWriter()
    vmtkSurfaceWriter.Surface = self.Surface
    vmtkSurfaceWriter.OutputFileName = self.subdir +
        self.patient + "/img/" + output_filename
    self.Surface = vmtkSurfaceWriter.Surface
    vmtkSurfaceWriter.Execute()
## function that allows us to view the .vti image just
    created
# @param self The object pointer
# @param input_filename The name of the.vti file we
    want to view (inserted from the user)
def meshreader(self, output_filename):
    print "self.test"
    print self.test
    print "output_filename" + output__filename
    # if self.test = 0:
    # output_filename = self.filetoview [: - 4]
    vmtkMeshReader = vmtkmeshreader.vmtkMeshReader ()
    # print self.subdir + self.patient + " /img/" +
        output_filename + ".vtu"
    vmtkMeshReader.InputFileName = self.subdir +
        self.patient + "/img/" + output__filename + ".vtu"
    vmtkMeshReader. Execute()
    self.Mesh = vmtkMeshReader.Mesh
    # self.imageviewer()
## function that allows to view the vtk-xml file
# @param self The object pointer
def meshviewer(self):
    self.clearActors()
    self.vmtkMeshViewer.Mesh = self.Mesh
    print "\sqcup"
    print "Press ''q'\sqcupto continue "
    print "\sqcup"
    # self.vmtkMeshViewer.Renderer = self.vmtkRenderer
    self.vmtkMeshViewer. Execute()
## function that allow to view a vtk-xml file
# @param self The object pointer
# @param output_filename This is the name of the file
    we have created
def meshwriter(self, output_filename):
    vmtkMeshWriter = vmtkmeshwriter.vmtkMeshWriter ()
    vmtkMeshWriter.Mesh = self.Mesh
    vmtkMeshWriter.OutputFileName = self.subdir +
        self.patient + "/img/" + output_filename +
        "__mesh.vtu"
    vmtkMeshWriter.Execute()
```


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```
    ## function to check if the file has been loaded
    # @param self The object pointer
    def DICOMinteract(self):
        if vmtkImageViewer:
                vmtkImageViewer.Execute()
        else:
                print "Image }\sqcup\mathrm{ not }\sqcup\mathrm{ loaded }\sqcup\mathrm{ yet"
    ## function that allows us to select a volume of interest
    # @param self The object pointer
    # @param output_filename This is the name of the file
        we have created
    def VOI(self, output_filename):
        self.clearActors()
        self.vmtkImageVOISelector =
            vmtkimagevoiselector.vmtkImageVOISelector()
        self.vmtkImageVOISelector.Image = self.Image
        self.vmtkImageVOISelector.vmtkRenderer =
            self.vmtkRenderer
        self.vmtkImageVOISelector.Interactive = 1
        print "Press }\sqcup\textrm{i}\sqcup\mathrm{ to }\sqcup\mathrm{ activate }\sqcup\mathrm{ the }\sqcup\mathrm{ volume 
            ( twice) \sqcupwhen }\sqcup\mathrm{ you }\stackrel{\mathrm{ have }\sqcup\mathrm{ done "}}{
        print " ""
        self.vmtkImageVOISelector.Execute()
        self.Image = self.vmtkImageVOISelector.Image
        self.imagewriter(output_filename + "_VoI.vti")
        print "ப"
        print "File\sqcup" + output__filename + "__VoI.vti\sqcuphas bbeen}
        written.
        program"
    print "\sqcup"
    ## function that allows us to do a level set
        segmentation: it is important to underline that if
        we set a Number of Iteration higher than 0, then it
        will perform only one loop for the levelset (i.e.
        you can add only a branch). And we want to point out
        that it's}s\sqcup\mathrm{ not 
        final 
        need }\sqcup\mathrm{ to }\sqcup\mathrm{ use }\sqcup\mathrm{ bifurcation }\sqcup\mathrm{ in }\sqcup\mathrm{ order }\sqcup\mathrm{ to }\sqcup\mathrm{ reconstruct }\sqcup\mathrm{ the }
        area }\sqcup\mathrm{ around 
\sqcup\sqcup\sqcup\llcorner#\sqcup\sqcup@param}\sqcup\mathrm{ self 
```



```
    we}\sqcup\mathrm{ have }\sqcup\mathrm{ created
\sqcup\sqcup\sqcup\sqcupdef LevSetSeg(self, \sqcupoutput_filename):
பபபபபபபபself.clearActors()
ப\sqcupபபபபபபif & not 
பபபபபபபபபபபபSelf . imagereader(output_filename ப+\sqcup"__VoI")
பபபபபபபபvmtkLevelSetSegmentation }\sqcup=
    vmtklevelsetsegmentation.vmtkLevelSetSegmentation()
பபபபபப\sqcupப vmtkLevelSetSegmentation. PropagationScaling
    self.prop_scaling
ப\sqcupப\sqcupபபப\sqcupvmtkLevelSetSegmentation. CurvatureScaling ப= 
    self.curve_scaling
பபபபப\sqcupப\sqcupvmtkLevelSetSegmentation. AdvectionScaling }\llcorner
    self.adv__scaling
```



```
    for
பபபபபபபபif ifself.number_iteration }\bullet>>0\mathrm{ 0:
```



```
பபபபபபபபபபபபபபImageSeeder.vmtkRenderer }\llcorner=\sqcup\mathrm{ self .vmtkRenderer
பபபபபபபபபபயபImageSeeder. Image }\lrcorner=\sqcup\mathrm{ self . Image
பபபபபபபபபபபபபImageSeeder. Display 
பபபபபபபபபபபபபImageSeeder. Execute()
பபபபபபபபபபபபபImageSeeder. Display 
பபபபபபபபபபபபபImageSeeder. BuildView ()
பபபபபபபப பபபப vmtkImageInitialization 
    vmtkscripts.vmtkImageInitialization()
பபபபபபபபபபபபvmtkImageInitialization.Image பபபபபபபபப=ப
    self.Image
பபபபபபபபபபப\sqcupvm tkImageInitialization.vmtkRenderer ப\sqcup= =
    self.vmtkRenderer
```



```
    ImageSeeder
ப\sqcupப\sqcupபபப\sqcupபபப\sqcupVm tkIm ageInitialization.SurfaceViewer }\sqcup
    self.vmtkSurfaceViewer
```



```
பபபபபபபபபபபபvm\kImageInitialization. Execute ()
ப\sqcupபபபபப\sqcupபபப\sqcupvmtkLevelSetSegmentation.InitialLevelSets ப\sqcupப= 
    vmtkImageInitialization.InitialLevelSets
\sqcupபப\sqcupப\sqcupப\sqcupப\sqcupப\sqcupvmtkLevelSetSegmentation . NumberOfIterations 
    self.number__iteration
பபபபபபபப##
ப\sqcupபபபபப\sqcup vmtkLevelSetSegmentation. Image }
பபபபபபப\sqcup vmtkLevelSetSegmentation . vmtkRenderer \sqcup= =
    self.vmtkRenderer
பபபபபபபப vmtkLevelSetSegmentation. Execute ()
ப\sqcupப\sqcupப\sqcup\sqcup\sqcup self.Image }=\sqcupvm\mathrm{ . IkLevelSetSegmentation. LevelSets
\sqcupபபபப\sqcupப\sqcupSelf .imagewriter(output__filename பt\sqcup" __VoI__LSS.vti ")
\sqcupப\sqcupபப\sqcupப\sqcup print \sqcup" ப"
```



```
    been }\sqcup\mathrm{ successfully }\ddagger\mathrm{ written. 
பபபபபபப\sqcup print ப" \sqcup"
\sqcup\sqcup\sqcup\llcorner##\sqcupfunction }\sqcup\mathrm{ that }\sqcup\mathrm{ allows 
    the
\sqcup\sqcup\sqcupப#ப\sqcup@param
\sqcup\sqcup\sqcup\sqcup#\sqcup\sqcup@param}\sqcup\mathrm{ output__filename }\sqcup\mathrm{ This }\sqcup\mathrm{ is }\sqcup\mathrm{ the }\sqcup\mp@subsup{\mathrm{ name }}{\square}{}\mathrm{ of f}\sqcup\mathrm{ the }\sqcup\mathrm{ file }
    we
\sqcup\sqcup\sqcup\sqcup\mp@code{def }\sqcup\mathrm{ SurfGen(self , }\sqcup\mathrm{ output__filename ):}
பபபபபபபபself . clear Actors ()
\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup#if \sqcupnot}\sqcup\mathrm{ self.Image:
பபபபபப\sqcup\sqcup Self .imagereader(output__filename ப+\sqcup" __VoI__LSS")
ப\sqcupப\sqcupப\sqcupப\sqcup vmtkMarchingCubes ப= 
    vmtkmarchingcubes.vmtkMarchingCubes ()
\sqcupப\sqcupப\sqcupப\sqcup\sqcup vmtkMarchingCubes. Image }=\sqcup\mathrm{ self.Image
பபபபபபப\sqcup vmtkMarchingCubes. Execute ()
ப\sqcupப\sqcupபபப\sqcupSelf.Surface }=\sqcupvmtkMarchingCubes.Surfac
பபபபபபப\sqcupSelf.surfacewriter(output__filename }
    "_VoI_LSS__mc.vtp")
ப\sqcupபபபபப\sqcup print ப" ப"
```



```
    has }\ddagger\mathrm{ been }\sqcup\mathrm{ successfully }\sqcup\mathrm{ written. 
    continue )"
பபபபபபபப print ப" ப"
```


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```
பப\sqcupபபபபப self.surfaceviewer ()
ப\sqcupப\sqcupப\sqcupப\sqcup print \sqcup" ப"
பபபபபப\sqcup\sqcup print ப" The 
    (select 
ப\sqcupபபபபபப print ப" ப"
```



```
    action!"
\sqcup\sqcup\sqcup\llcorner##\sqcupThis }\sqcup\mathrm{ function }\sqcup\mathrm{ is }\sqcup\mathrm{ used }\bullet\mathrm{ to }\bullet\mathrm{ make 
    generated }\sqcup\mathrm{ smoother
```



```
\sqcup\sqcup\sqcup\llcorner#\sqcup\sqcup@param &output__filename }\sqcup\mathrm{ This }\sqcup\mathrm{ is }\sqcup\mathrm{ the }\sqcup\mp@subsup{\mathrm{ name }}{\sqcup}{}\mathrm{ of f the 
    we}\sqcup\mathrm{ have 
\sqcup\sqcup\sqcup\sqcupdef f SmoothSurf(self, \sqcupoutput_filename):
பபபபபபபப vmtkSurfaceSmoothing ப= 
    vmtksurfacesmoothing.vmtkSurfaceSmoothing()
ப\sqcupபபபபபபvmtkSurfaceSmoothing. NumberOfIterations ப= 
ப\sqcupபபப\sqcupப\sqcupvmtkSurfaceSmoothing . PassBand 
பபபபபபபப vmtkSurfaceSmoothing.Surface
பபபபபபப\sqcup vmtkSurfaceSmoothing.vmtkRenderer 
பப\sqcupபபபபப vmtkSurfaceSmoothing. Execute ()
பப\sqcupப\sqcupபப\sqcup self.surfacewriter(output_filename ப+\sqcup
    "__VoI_LSS_mc_sm.vtp ")
பபபபபபபப print " " ""
```



```
    "__VoI_LSS_mc_sm.vtp}\sqcup\textrm{has}\sqcup\textrm{been}\sqcup\textrm{successfully }\sqcup\mathrm{ written."
பப\sqcupபபபபப print ப" ப"
ப\sqcupப\sqcupப\sqcupப\sqcup Self.Surface 
பபப\sqcupபபப\sqcup self.surfaceviewer()
பபபபபபப\sqcup print ப" ""
```



```
    (select }\sqcup\mathbf{a}\sqcup\mathrm{ new }\sqcup\mathrm{ action }\sqcup\mathrm{ or }\sqcup\mathrm{ exit }\sqcup\mathrm{ the }\sqcup\mathrm{ program)."
\sqcupப\sqcupபபப\sqcup\sqcup print \sqcup" ""
```



```
    generated 
\sqcup\sqcup\sqcup\llcorner#\sqcup\sqcup@param}\sqcup\mathrm{ self 
```



```
    we}\sqcup\mathrm{ have }\sqcup\mathrm{ created
\sqcup\sqcup\sqcup\sqcupdef f GenSmoothSurf(self, \sqcupoutput__filename):
பபபபபபப\sqcupself.SurfGen (output_filename)
பபபபபபபபself.SmoothSurf(output__filename)
```



```
    generater }\sqcup\mathrm{ smoother
\sqcupப\sqcup\llcorner#ப\sqcup@param
\lrcorner\sqcup\sqcup\llcorner#\sqcup\sqcup@param 
    have
ப\sqcupப\sqcupdef 
பபபபபபப\sqcup vmtkSurfaceClipper ப= ப
    vmtksurfaceclipper.vmtkSurfaceClipper()
பபபபபப\sqcup\sqcupvmtkSurfaceClipper.Surface}\sqcup=\sqcup\mathrm{ self.Surface
\sqcup\sqcupப\sqcup\sqcupப\sqcup\sqcupvmtkSurfaceClipper.vmtkRenderer }\llcorner=\sqcup\mathrm{ self.vmtkRenderer
பபபபபபபப vmtkSurfaceClipper. Execute()
பபபபபபபப print ப" Executed "
பபபபபபபப self.Surface
```



```
    " _VoI_LSS__mc__sm__cl.vtp ")
ப\sqcupப\sqcupப\sqcupப\sqcup print ப" ""
பபபபபபப\sqcup print \sqcup" File \sqcup" ப+\sqcupoutput__filename \sqcupப+\sqcup
    "_VoI_LSS_mc_sm_cl.vtp\sqcuphas been\sqcupsuccessfully 
பபபபபபபப print ப" ப"
```

```
பபபபபபபப Self.Surface 
ப\sqcupபப\sqcupப\sqcupபSelf.surfaceviewer()
பபபபபபப\sqcup print ப" \sqcup"
பபபபபபப\sqcup print \sqcup" The }\sqcup\mathrm{ surface }\sqcup\mathrm{ is }\sqcup\mathrm{ now }\sqcup\mathrm{ displayed. . 
    (select 
பபபபபபப\sqcup print ப" \sqcup"
\sqcup\sqcup\sqcup\llcorner## This }\sqcup\mathrm{ function }\sqcup\mathrm{ is }\sqcup\mathrm{ used }\sqcup\mathrm{ to }\sqcup\mathrm{ compute }\sqcup\mathrm{ the }\sqcup\mathrm{ centerlines
\sqcupப\sqcupப#பப@param\sqcupself பThe\sqcupobject\sqcuppointer
\sqcup\sqcup\sqcup\llcorner#\sqcup\sqcup@param
    have\sqcupcreated
\sqcupப\sqcup\sqcup\mp@code{def }\sqcup\mathrm{ CenterLines(self, ,output__filename) :}
பபபபபபபப vmtkCenterlines ப= \sqcup
    vmtkcenterlineswithrenderer.vmtkCenterlinesWithRenderer()
பபபபபபபபvmtkCenterlines.Surface
பபபபபபபப vmtkCenterlines.vmtkRenderer ப= Self.vmtkRenderer
பபபபபபப\sqcup vmtkCenterlines.SeedSelectorName\sqcup=\sqcup'openprofiles'
பபபபபபப\sqcup vmtkCenterlines. AppendEndPoints }\sqcup=\sqcup
பபபபபபப\sqcup vmtkCenterlines.Execute ()
பபபபபப\sqcup\sqcup print " "The}\sqcup\mathrm{ centerline }\sqcup\mathrm{ has }\sqcup\mathrm{ been 
பபபபபபபப self.Surfaceப=\sqcupvmtkCenterlines.Surface
பப\sqcupபபபபப self.surfacewriter(output__filename ப+\sqcup
    "_VoI_LSS__mc_sm_cl_clns.vtp")
பபபபபபபப print ப" ப"
ப\sqcupப\sqcupப\sqcupப\sqcup print \sqcup" File\sqcup" ப+\sqcupoutput_filename ப\sqcup+\sqcup
    "__VoI_LSS__mc__sm_cl_clns.vtp}\sqcuphas\sqcupbeen & successfully \sqcup
    written.\sqcupPlease}\sqcup\mathrm{ go }\sqcup\mathrm{ ahead."
பபபபபபப\sqcup print ப" ப"
```



```
    segmentationgenerate}\sqcup\mp@subsup{a}{\sqcup}{
\sqcup\sqcup\sqcupப#பப@param
\sqcup\sqcup\sqcup\llcorner#\sqcup\sqcup@param
    have}\sqcup\mathrm{ created
\sqcup\sqcup\sqcup\sqcup\mp@code{def }\lrcorner\mathrm{ MeshGen(self, }\sqcup\mathrm{ output_filename) :}
பபபபபபபபself.clearActors()
பபபபபபப\sqcup vmtkMeshGenerator 
    vmtkmeshgenerator.vmtkMeshGenerator()
பபபபபபப\sqcup vmtkMeshGenerator.Surface 
பபபபபபபப vmtkMeshGenerator.Mesh 
பப\sqcupபபப\sqcup\sqcup vmtkMeshGenerator. edgelength
பபபபபபப\sqcup vmtkMeshGenerator.vmtkRenderer }\sqcup=\sqcup\mathrm{ self.vmtkRenderer
பபப\sqcupபப\sqcup\sqcup vmtkMeshGenerator. Execute ()
பபபபபபபப self.Mesh
பபபபபபபப self.meshwriter(output_filename)
பபப\sqcupப\sqcupப\sqcup print " "Well done, \sqcupthe 
பபபபபபபப Self.meshviewer ()
பபபபபபப\sqcup print " "The 
```


## Chapter B

## B. 3 canvas3D.py

This is another "graphical" file that helps to prepare and set the canvas where we represent the scene we are studying.

```
## @package canvas3D
#In this package we have 2 classes that create a
    drawing area where we want to represent the
    stent(s) and the DICOM image. Also, there are a
    serie of events we can use to enjoy the mouse
    interaction with what we represent in the drawing
        area.
try:
            import gtk
            import gtk.glade
except:
            sys.exit(1)
from gtk import gdk
import vtk
import vtkcones
import math
## This class contains the basic functions needed to
    create a suitable drawing area able to host our
    images.
class Canvas3DBase(gtk.DrawingArea):
        ## The constructor
        # @param self The object pointer
        # @param *args The special syntax, *args in
        function definitions is used to pass a
            variable number of arguments to a
            function. The single asterisk form (*args)
            is used to pass a non-keyworded,
            variable-length argument list.
        def ___init___(self, *args):
                gtk.DrawingArea.___init___(self)
                self._RenderWindow = vtk.vtkRenderWindow()
                # private attributes
                self.__Created = 0
                # used by the LOD actors
                self.__DesiredUpdateRate = 15
                self._StillUpdateRate = 0.0001
            self.ConnectSignals0()
                # need this to be able to handle
                    key__press events.
                self.set_flags(gtk.CAN_FOCUS)
                # default size
                self.set_size__request(300, 300)
            ## The connections beetween an action and its
            consequences
            @param self The object pointer
            def ConnectSignals0(self):
```

```
self.MouseMoveConnected = None
    self.connect(" realize", self.OnRealize)
    self.connect(" expose_event", self.OnExpose)
    self.connect(" configure_event",
        self.OnConfigure)
    self.connect("button__press_event",
        self.OnButtonDown)
    self.connect("button__release__event" ,
        self.OnButtonUp)
        self.connect("enter_notify__event",
        self.OnEnter)
    self.connect("leave__notify__event",
        self.OnLeave)
    self.connect("key__press_event",
        self.OnKeyPress)
    self.connect("delete__event", self.OnDestroy)
    self.add__events(gdk.EXPOSURE_MASK |
                                    gdk.BUTTON_PRESS_MASK
                    gdk.BUTTON_RELEASE_MASK
                    gdk.KEY_PRESS_MASK
                    gdk.POINTER_MOTION_MASK
                    gdk.POINTER_MOTION_HINT_MASK
                    gdk.ENTER_NOTIFY_MASK
                        gdk.LEAVE_NOTIFY_MASK)
## The connections beetween an action and its
    consequences
# @param self The object pointer
def ConnectSignals(self):
            if self.MouseMoveConnected:
        self.disconnect(self.MouseMoveConnected)
self.MouseMoveConnected =
    self.connect(" motion__notify__event",
    self.OnMouseMove)
## The connections beetween an action and its
    consequences
# @param self The object pointer
def ConnectSignals2(self):
            if self.MouseMoveConnected:
        self.disconnect(self.MouseMoveConnected)
self.MouseMoveConnected =
    self.connect(" motion__notify__event",
    self.OnMouseMove2)
## The function to get a Render Window
# @param self The object pointer
def GetRenderWindow(self):
            return self._RenderWindow
## The function to begin a new Renderer
# @param self The object pointer
def GetRenderer(self):
```


## Chapter B

```
            self.__RenderWindow.GetRenderers().InitTraversal()
            return
            self._RenderWindow.GetRenderers().GetNextItem()
            ## Mirrors the method with the same name in
            vtkRenderWindowInteractor.
            # @param self The object pointer
            # @param rate ...
            def SetDesiredUpdateRate(self, rate):
                self._DesiredUpdateRate = rate
            ## Mirrors the method with the same name in
            vtkRenderWindowInteractor.
    # @param self The object pointer
    def GetDesiredUpdateRate(self):
            return self._DesiredUpdateRate
    ## Mirrors the method with the same name in
        vtkRenderWindowInteractor
    # @param self The object pointer
    # @param rate ...
    def SetStillUpdateRate(self, rate):
            self._StillUpdateRate = rate
    ## Mirrors the method with the same name in
        vtkRenderWindowInteractor.
    # @param self The object pointer
    def GetStillUpdateRate(self):
            return self._StillUpdateRate
    ## Sets the renderer
    # @ param self The object pointer
    def Render(self):
                if self.__Created:
                    self._RenderWindow . Render()
    ## Creates the window
    ## @ param self The object pointer
    ##@ param *args The special syntax, *args
        in function definitions is used to pass a
        variable number of arguments to a
        function. The single asterisk form (*args)
        is used to pass a non-keyworded,
        variable-length argument list.
    def OnRealize(self, *args):
                if self.__Created == 0:
```



```
                the
ப\sqcupபபபபபபபபபபபபபபபபபபபபSelf . realize()
பபபபபபபபபபபபபபபபபபபபபபwin_id_பப= பபstr(self.widget.window.xid)
பபபபபபபபபபபபபபபபபபபபபட
    self._RenderWindow.SetWindowInfo(win_id)
பபபபபபபபபபபபபபபபபபபபபபself . ___Created ப\sqcup= &\sqcup1
பபபபபபபபபபபபபபபப return ப\sqcup True
பபபபபபபப def ப\sqcupCreated (self):
பப\sqcupபபபபபபபபபபபப\sqcupreturn ப\sqcup self .___Created
```



```
பபபபபபபபபபபபபபபபself . widget=wid
பபபபபபபபபபபபபபபபSZ பப= பபSelf .__RenderWindow.GetSize()
```

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```
பபபபபபபபபபபபபபபபif பப (event.width பப!= ப\sqcupsz [0]) பபor ப\sqcup
    (event.height\sqcup\sqcup!=\sqcup\sqcupsz[1]):
பபபபபபபபபபபபபபபபபபபபபபபப
    self._RenderWindow.SetSize(event.width, \sqcup\sqcupevent.height)
ப\sqcupபபபபபபபபபபபபப\sqcupreturn ப\sqcupTrue
பபபபபபபப def &பOnExpose( self , ப\sqcup*args ):
பபபபபபபபபபபபபபபபSelf.Render ()
பபபபபபபபபபபபபபபபreturn பபTrue
பபபபபபபப def பபOnDestroy(self , ப\sqcup* args ):
பபபபபபபபபபபபபபபபSelf.hide()
பபபபபபபபபபபபபபபப del ப\sqcupself .__RenderWindow
பபபபபபபபபபபபபபபபSelf.destroy ()
பபபபபபபபபபபபபபபபreturn பபTrue
பபபபபபபப def fபபOnButtonDown(self, ,\sqcup\sqcupwid, \sqcup\sqcupevent):
பபபபபபபபபபபபபபபப " " " Mouseபபbutton ப\sqcup pressed. " " " 
பபபபபபபபபபபபபபபப
    self._RenderWindow.SetDesiredUpdateRate(self.__DesiredUpdateRate)
பபபபபபபபபபபபபபபபreturn பபTrue
\sqcupப\sqcupப\sqcupபப\sqcup def ப\sqcupOnButtonUp(self, \sqcup\sqcupwid, \sqcup\sqcupevent):
```



```
பபபபபபபபபபபபபயயய
    self.__RenderWindow.SetDesiredUpdateRate(self._StillUpdateRate)
|பபபபபபபபபபபபபபபreturn பபTrue
```



```
பபபபபபபபபபபபபபபப " " " Mouse_ப\sqcuphas பபmoved. " " "
ப\sqcupபபபபபபபபபபபபபபreturn \பTrue
```



```
பபபபபபபபபபபபபபபப " " " Mouse_பபhas ப\sqcupmoved. . " "
பபபபபபபபபபபபபபபபreturn_பTrue
ப\sqcupபபபபப\sqcup def ப\sqcupOnEnter(self, \sqcup\sqcupwid, \sqcup\sqcupevent):
பபபபபபபபபபபபபபபப" " " Entering ப\sqcup the \sqcup\sqcupvtkRenderWindow . " " "
பபபபபபபபபபபபபபபபreturn bபTrue
ப\sqcupபப\sqcupபப\sqcup\mp@code{def f\sqcupOnLeave(self, \sqcup\sqcupwid, \sqcup\sqcupevent):}
பபபபபபபபபபபபபபபப " " " Leaving ப\sqcupthe ப\sqcupvtkRenderWindow . " " "
பபபபபபபபபபபபபபபபreturn bபTrue
ப\sqcupபபபபப\sqcup def f\sqcupOnKeyPress(self, \sqcup\sqcupwid, \sqcup\sqcupevent):
பபபபபபபபபபபபபபபப " " " Keyப\sqcupபpressed . " " "
பபபபபபபபபபபபபபப\sqcupreturn mபTrue
```



```
பபபபபபபபபபபபபபபப" Key\sqcupபreleased. "
பபபபபபபபபபபபபபப\sqcup\mp@code{return}\mp@code{\sqcupபTrue}
##\sqcup\sqcupAn
    GtkGLExtVTKRenderWindow }\sqcup\sqcup\mathrm{ that t 
    vtkRenderWidget . py }\sqcup\sqcup\mathrm{ provided 
class \sqcup\sqcupCanvas3D (Canvas3DBase):
பபபபபபபட##ப\sqcupThe
```



```
ப\sqcupபபபபபப#பபப\sqcup@param
```


## Chapter B

```
பபபபபபபப#பபபப@param
```



```
    number 
```



```
    non-keyworded, \sqcup\sqcupvariable-length 
```



```
ப\sqcupபப\sqcupபபபபபபபபபபபCanvas3DBase .___init___(self)
```



```
பபபபபபபபபபபபபபபபself .__CurrentCamera&ப=பபNone
பபபபபபபபபபபபபபபபself .__CurrentDolly பப=பப1.0
பபபபபபபபபபபபபபபபself . _CurrentLight பப= ப\sqcupNone
|பபபபபபபபபபபபபபபS slf . __ViewportCenter X \ப= ப\sqcup0
பபபபபபபபபபபபபபபப Self .__ViewportCenter Y பப=பப0
ப\sqcupப\sqcupபபபபபபபபபப\sqcupபSelf . _ClippingRange
|பபபபபபபபபபபபபபப self . _OldFocus ப\sqcup= + Sone
```



```
    position
```



```
ப\sqcupபபபபபபபபபபபபபபself .__Last Y \ப= | 0
```



```
    to 
ப\sqcupபபபபபபபபபபபபபபself.demowindow }\sqcup\sqcup=\sqcup\sqcup\mathrm{ demowindow
ப\sqcupபபபபபப def &\sqcupOnButtonDown (self, \sqcup\sqcupwid, \sqcup\sqcupevent) :
பப\sqcupபபபபபபபபபபபபப
    self.__RenderWindow.SetDesiredUpdateRate(self.__DesiredUpdateRate)
```




```
பபபபபபபபபபபபபபபப
    self.__RenderWindow.SetDesiredUpdateRate(self.__StillUpdateRate)
```



```
    gdk.SHIFT__MASK):
```



```
பபபபபபபபபபபபபபபபபபபபபபபப S elf . VoxelInfo (m[0],m[1])
```






```
பபபபப\sqcupபப#பப\sqcupப@param ப\sqcupwid ப\sqcup . . .
ப\sqcupபபபபபப#பபபப@param&பevent=None
```



```
பபபபபபபபபபபபபபபட#பபdon't do anything if the shift key
    is pressed
            if ((event.state & gdk.SHIFT_MASK) =
                                    gdk.SHIFT_MASK) :
                                    pass
            elif ((event.state & gdk.BUTTON2_MASK)
        == gdk.BUTTON2_MASK):
                                    m = self.get_pointer()
                                    self.MouseTumble (m[0], m[1])
                                    return True
```

```
            elif ((event.state & gdk.BUTTON3_MASK)
        = gdk.BUTTON3_MASK):
            m = self.get_pointer()
            self.MouseTrack(m[0], m[1])
            return True
        elif ((event.state & gdk.BUTTON1_MASK)
        = gdk.BUTTON1_MASK):
            m = self.get_pointer()
            self.MouseDolly(m[0], m[1])
            return True
            else:
            return False
            ## Function that deactivate the
            mouse-interaction if the shift key is
            pressed.
            # @param
            # @param
            self The object pointer
            wid ...
            # @param event=None ...
            def OnMouseMove2(self, wid, event=None):
```



```
                is ப\sqcup pressed
```



```
    gdk.SHIFT_MASK) :
ப\sqcupபபபபபபபபபபபபபபபபபபபபபப pass
பபபபபபபபபபபபபபபப eli if ப\sqcup (( event.state பட&\sqcup\sqcupgdk.BUTTON1_MASK) ப\sqcup
    ==}\sqcup\textrm{gdk}.\mathrm{ BUTTON1_MASK) :
```



```
பபபபபபபபபபபபபபபபபபபபபபபபபபபபபபப\sqcup self.MouseTumble (m[0], \sqcup\llcorner\textrm{m}[1])
பபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபப return பபTrue
```



```
    ==}\sqcup\textrm{gdk}.BUTTON2_MASK) :
```



```
பபபபபபபபபபபபபபபபபபபபபபபபself.MouseTrack (m[0], \sqcup\llcornerm[1])
பபபபபபபபபபபபபபபபபபபபபபபப return பபTrue
பபபபபபபபபபபபபபபப elif ப\sqcup (( event. state ப\llcorner&\sqcup\sqcupgdk.BUTTON3_MASK) ப\sqcup
    ==}\sqcup\textrm{gdk}.BUTTON3_MASK) :
```



```
பபபபபபபபபபபபபபபபபபபபபபபப self.MouseDolly (m[0], ப\llcornerm[1])
பபபபபபபபபபபபபபபபபபபபபபபப return பபTrue
பபபபபபபபபபபபபபபபelse:
பபபபபபபபபபபபபபபபபபபபபபப\sqcup return & F False
பபபபபபப\sqcup def f\sqcup\sqcupOnEnter(self , \sqcup\sqcupwid, \sqcup\sqcupevent=None) :
பபபபபபபபபபபபபபபபself.grab__focus ()
பபபபபபபபபபபபபபபபWபப= ப\sqcupself.get_pointer ()
பபபபபபபபபபபபபபபபSelf. UpdateRenderer (w[0], ப\llcornerw[1])
பபபபபபபபபபபபபபப\sqcup\mp@code{return ப\sqcup True}
ப\sqcup\sqcupப\sqcup\sqcup\sqcup\sqcup\mp@code{def f\sqcupOOnLeave( self, \sqcup\sqcupwid, \sqcup\sqcupevent):}
ப\sqcupபபபபபபபபபபபபப\sqcupreturn \பTrue
\sqcup\sqcupப\sqcup\sqcupப\sqcup\sqcup\mp@code{def }\sqcup\sqcup\mathrm{ Render(self):}
பபபபபபபபபபபபபபபபif பப( self .__CurrentLight ):
பபபபபபபபபபபபபபபபபபபபபபபபlight பப= ப\sqcup self .__CurrentLight
பபபபபபபபபபபபபபபபபபபபபபபப
    light.SetPosition(self.__CurrentCamera.GetPosition())
பபபபபபபபபபபபபபபபபபபபபபபப
    light.SetFocalPoint(self._CurrentCamera.GetFocalPoint ())
```


## Chapter B

```
பபபபபபபபபபபபபபபபCanvas3DBase.Render(self)
```



```
    None:
பபபபபபபபபபபபபபபப#பபபபபபபப S elf . demowindow . updateCameraInfo ()
```



```
    under 
    _CurrentCamera, \sqcup\sqcup and \sqcup\sqcup_CurrentLight.
```




```
பபபபபபபப def ப\sqcupU UpdateRenderer ( self , x , y) :
```



```
    self.widget.window.get__size()
|பபபபபபபபபபபபபபப renderers பப= பட
    self.__RenderWindow.GetRenderers()
பபபபபபபபபபபபபபப\sqcup_ numRenderers ப\sqcup= ப\sqcuprenderers.GetNumberOfItems()
பபபபபபபபபபபபபபபபS Slf .__CurrentRenderer பப= ப\sqcupNone
பபபபபபபபபபபபபபபப renderers. InitTraversal ()
```



```
|பபபபபபபபபபபபபபபபபபபபபபப renderer பப=ப\sqcuprenderers.GetNextItem ()
```






```
பபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபப vy பப= ப 
    (windowY-float (y) -1)/(windowY-1)
```



```
    renderer.GetViewport()
```



```
    vpxmax
```



```
    vpymax ):
பபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபப s elf . __ CurrentRenderer பப= பப
    renderer
```



```
    float (windowX)*(vpxmax-vpxmin) / 2.0\
பபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபப
    ப\sqcupபபபபபபபபபபபபபபபபப+vpxmin
பபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபப s elf . __ViewportCenter Y பப= பப
    float (windowY)*(vpymax-vpymin )/2.0\
பபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபப
    பபபபபபபபபபபபபபபபபபப+vpymin
பபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபப self .__CurrentCamera_பப=பப
    self._CurrentRenderer. GetActiveCamera ()
```



```
    self._CurrentRenderer.GetLights ()
பப\sqcupபபபபபபபபபபபபபபபபபபபபபபபபபபபபப lights.InitTraversal()
பபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபself . _CurrentLight பப=பப
    lights.GetNextItem()
```



```
பபபபபபபபபபபபபபபபself .__LastX \பப= ப\sqcupx
பபபபபபபபபபபபபபபபself .__LastY பப= \பy
பபபபபபபப def பபGetCurrentRenderer(self):
```



```
பபபபபபபப def பபStartMotion(self, \sqcup\sqcupwid, \sqcup\sqcupevent=None) :
```



```
பபபபபபபபபபபபபபபபy பப= பபevent . y
பபபபபபபபபபபபபபபபSelf.UpdateRenderer (x, y)
பபபபபபபபபபபபபபபபreturn பபTrue
\sqcupபபபபபபப def ப\sqcupEndMotion(self , ப\sqcupwid, \sqcup\sqcupevent=None):
பபபபபபபபபபபபபபபபif ப\sqcupself . __ CurrentRenderer:
பபபபபபபபபபபபபபபபபபபபபபபபSelf.Render ()
பபபபபபபபபபபபபபப\sqcupreturn & True
பபபபபபபப##ப\sqcupBy\sqcup\sqcupmanipulating ப\sqcupthe ப\sqcupcamera\sqcup\sqcup position, \sqcup\sqcupсreate\sqcup
    \sqcupthe
    using}\sqcup\sqcup\mathrm{ the 
```




```
ப\sqcupபபபபப\sqcup def fபMouseTumble( self, x, y):
பபபபபபபபபபபபபபபபif ப\sqcupself . _CurrentRenderer:
பபபபபபபபபபபபபபபபSelf .__CurrentCamera. Azimuth(self .__LastX Sபーபப
    x)
பபபபபபபபபபபபபபபபபபபபபபபபSelf .__CurrentCamera. Elevation(yபபーபப
    self.__LastY)
பபபபபபபபபபபபபபபபபபபபபபபப
    self._CurrentCamera. OrthogonalizeViewUp()
```



```
பபபபபபபபபபபபபபபபபபபபபபபப S elf . _Last Y Lப= = \ y
பபபபபபபபபபபபபபபபபபபபபபபபSelf . ResetClippingRange ()
பபபபபபபபபபபபபபபபபபபபபபபபself . Render ()
```



```
    coordinates
```




```
பபபபபபபப def ப\sqcupMouseTrack(self , x, y) :
பபபபபபபபபபபபபபபபif ப\sqcupself .__CurrentRenderer:
பபபபபபபபபபபபபபபபபபபபபபபப renderer பப= பப self . __ CurrentRenderer
பபபபபபபபபபபபபபபபபபபபபபபபcamera aப= &\sqcupS slf .__CurrentCamera
பபபபபபபபபபபபபபபபபபபபபபபப( (pPoint0,pPoint1, pPoint2) பட= ப\sqcup
    camera.GetPosition()
பபபபபபபபபபபபபபபபபபபபபபபப( (fPoint0,fPoint1,fPoint2) பப= ப\sqcup
    camera.GetFocalPoint()
```



```
    world
பபபபபபபபபபபபபபபபபபபபபபபப
    renderer.SetWorldPoint(fPoint0,fPoint1,fPoint2,1.0)
பபபபபபபபபபபபபபபபபபபபபபபபrenderer. WorldToDisplay ()
பப\sqcupபபபபபபபபபபபபபபபபபபபபப#ப\sqcup Convert ப\sqcupworld b\sqcup point ப\sqcup
    coordinates
பபபபபபபபபபபபபபபபபபபபபபபப dPoint பப=பபrenderer.GetDisplayPoint ()
பபபபபபபபபபபபபபபபபபபபபபபப focalDepth பப= 
பபபபபபபபபபபபபபபபபபபபபபபபaPoint0 பப= பபself .__ViewportCenter X Sப+\sqcup
    \sqcup(x\sqcup\sqcupー\sqcup\sqcupself.__LastX)
பபபபபபபபபபபபபபபபபபபபபபபபaPoint1 ப\sqcup= பபself .__ViewportCenterY \பーப
    \sqcup(y\sqcup\sqcupー\sqcup\sqcupself ._LLastY)
```


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```
    renderer.SetDisplayPoint(aPoint0, aPoint1, focalDepth)
பபபபபபபபபபபபபபபபபபபபபபபப renderer . DisplayToWorld ()
பபபபபபபபபபபபபபபபபபபபபபபப( rPoint0,rPoint1,rPoint2,rPoint3) பப= 
    renderer.GetWorldPoint ()
```



```
பபபபபபபபபபபபபபபபபபபபபபபபபபபபபபப\sqcup r Point0 ப\sqcup= ப\sqcup r Point0/rPoint3
பபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபப r Point1 பப= + r Point1/r reoint3
```




```
பபபபபபபபபபபபபபபபபபபபபபபப self .__LastY பப= = ப y
|பபபபபபபபபபபபபபபபபபபபபபபS elf . Track (fPoint0 பபーபப
    rPoint0,fPoint1 &\sqcupー\sqcup\sqcuprPoint1, fPoint2 ப\sqcup-\sqcup\sqcuprPoint2)
ப\sqcupபபபபபப def ப\sqcupTrack(self,x,y,z):
பபபபபபபபபபபபபபபபcameraபப= பபself .__CurrentCamera
பபபபபபபபபபபபபபபப(pPoint0, pPoint1, pPoint2) பப= ப\sqcup
    camera. GetPosition()
பபபபபபபபபபபபபபபப(fPoint0,fPoint1,fPoint2) பப= ப\sqcup
    camera.GetFocalPoint ()
பபபபபபபபபபபபபபபபcamera. SetFocalPoint (x mப+\sqcupபfPoint0,
```



```
    +\sqcup\sqcupfPoint1
```



```
    +\sqcup\sqcupfPoint2)
பபபபபபபபபபபபபபபபcamera. SetPosition(x ( ) + +\sqcup\sqcup pPoint0,
```



```
    pPoint1,
```



```
    pPoint2)
பபபபபபபபபபபபபபபபSelf . Render ()
|பபபபபபப def பபMouseDolly(self , x , y ):
```



```
    math.pow(1.02,(0.5*(self.__LastY பபーப\sqcupy)))
```



```
    self._CurrentDolly \sqcup\sqcup*\sqcup\sqcupdollyFactor
பபபபபபபபபபபபபபபபபபபபபபபபself . Dolly (dollyFactor )
பபபபபபபபபபபபபபபபபபபபபபபப S elf . _LastX &ப= = பx
பபபபபபபபபபபபபபபபபபபபபபபபSelf .__LastY பப= பபy
பபபபபபபப def ப\sqcupDolly(self, dollyFactor):
பபபபபபபபபபபபபபபபif பபSelf .__CurrentRenderer:
```



```
பபபபபபபபபபபபபபபபபபபபபபபபcamera 
பபபபபபபபபபபபபபபபபபபபபபபபif பபcamera.GetParallelProjection():
பபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபப p ar allelS c ale பப=பப
    camera.GetParallelScale()/dollyFactor
பபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபப
    camera.SetParallelScale(parallelScale)
பபபபபபபபபபபபபபபபபபபபபபபப else :
பபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபபcamera. Dolly (dollyFactor )
```



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436 437 438 439 440 441 442 443 444 445

```
பபபபபபபபபபபபபபபபபபபபபபபபSelf . Render ()
பபபபபபபப def ப\sqcup Reset (self):
பபபபபபபபபபபபபபபபif ப\sqcupself .__CurrentRenderer:
பபபபபபபபபபபபபபபபபபபபபபபபself .__CurrentRenderer. ResetCamera ()
பபபபபபபபபபபபபபபபSelf . Render()
பபபபபபபப def ப\sqcup ResetClippingRange( self):
பபபபபபபபபபபபபபபப
    self.__CurrentRenderer.ResetCameraClippingRange()
பபபபபபபபபபபபபபபபself .__ClippingRange
    self.__CurrentCamera. GetClippingRange ()
ப\sqcupபபபபபபபபபபபபபப#self .demowindow . clippingadj.set_value (100)
பபபபபபபப def fபபGetClippingRange(self):
பபபபபபபபபபபபபபபபreturn_பself .__ClippingRange
```


## Chapter B

## B. 4 vmtkcenterlineswithrenderer.py

This file is very important since it modifies the existing "vmtkcenterlines" module, allowing the user to use the same canvas created before and not a new one, for the centerline(s) computation.

```
## @package vmtkcenterlineswithrenderer
```

\#This module has been used in order to reproduce what it
happens in the already-existing function
vmtkcenterlines. This changing allows the user to use
his own renderer and not the renderer created by
vmtkcenterlines itself, since the already-existing
function creates - by default - its own renderer.
$\#!/$ usr/bin/env python
try :
import gtk
import gtk.glade
except:
sys.exit (1)
import vtk
from vtk import *
import vmtk
from vmtk import *
import vtkcones
import vmtkgui
from $g t k$ import $g d k$
import math
\# import vmtkcenterlines
\# from vmtkcenterlines import *
class
vmtkCenterlinesWithRenderer (vmtkcenterlines. vmtkCenterlines) :
def___init___(self):
vmtkcenterlines.vmtkCenterlines.___init_
$\qquad$ (self)
self.vmtkRenderer $=$ None
def Execute(self):
if self.Surface $=$ None:
self. PrintError ('Error: $\llcorner$ No $\llcorner$ input $\lrcorner$ surface.')
self.PrintLog ('NonManifold $\operatorname{check}^{\text {chec }}$. )
vmtkcenterlines. nonManifoldChecker $=$
vmtkcenterlines.vmtkNonManifoldSurfaceChecker ()
vmtkcenterlines. nonManifoldChecker. Surface $=$
self. Surface
vmtkcenterlines. nonManifoldChecker. PrintError $=$
self. PrintError
if (vmtkcenterlines.nonManifoldChecker. \}
NumberOfNonManifoldEdges $>0$ ):
self. PrintLog(vmtkcenterlines.nonManifoldChecker. $\backslash$

```
        Report)
    return
self.PrintLog('Cleaning\sqcupsurface.')
vmtkcenterlines.surfaceCleaner =
    vtk.vtkCleanPolyData()
vmtkcenterlines.surfaceCleaner.SetInput(self.Surface)
vmtkcenterlines.surfaceCleaner.Update()
self.PrintLog('Triangulating}\sqcupsurface.')
vmtkcenterlines.surfaceTriangulator =
    vtk.vtkTriangleFilter()
vmtkcenterlines.surfaceTriangulator.SetInput(vmtkcenterlines \
        .surfaceCleaner.GetOutput())
vmtkcenterlines.surfaceTriangulator. PassLinesOff()
vmtkcenterlines.surfaceTriangulator. PassVertsOff()
vmtkcenterlines.surfaceTriangulator.Update()
vmtkcenterlines.centerlineInputSurface =
    vmtkcenterlines.surfaceTriangulator.GetOutput ()
vmtkcenterlines.capCenterIds = None
if (self.SeedSelectorName ='openprofiles') |
    (self.SeedSelectorName == 'carotidprofiles') |
    (self.SeedSelectorName = 'pickpoint'):
    self.PrintLog('Capping}\mp@subsup{\mp@code{Surface.')}}{}{\prime
    vmtkcenterlines.surfaceCapper =
        vtkvmtk.vtkvmtkCapPolyData()
    vmtkcenterlines.surfaceCapper.SetInput\
        (vmtkcenterlines.surfaceTriangulator.GetOutput ())
    vmtkcenterlines.surfaceCapper.SetDisplacement\
        (self.CapDisplacement)
    vmtkcenterlines.surfaceCapper.SetInPlaneDisplacement\
        (self.CapDisplacement)
    vmtkcenterlines.surfaceCapper. Update()
    vmtkcenterlines.centerlineInputSurface =
        vmtkcenterlines.surfaceCapper.GetOutput()
    vmtkcenterlines.capCenterIds =
        vmtkcenterlines.surfaceCapper.GetCapCenterIds()
if self.SeedSelector:
    pass
elif self.SeedSelectorName:
    if self.SeedSelectorName == 'pickpoint':
        self.SeedSelector =
                vmtkPickPointSeedSelector()
        self.SeedSelector.vmtkRenderer =
                self.vmtkRenderer
    elif self.SeedSelectorName == 'openprofiles':
        self.SeedSelector=
            vmtkcenterlines.vmtkOpenProfilesSeedSelector()
        self.SeedSelector.SetSeedIds (vmtkcenterlines.surfaceCapper.\
        GetCapCenterIds())
        self.SeedSelector.OutputText =
            self.OutputText
        self.SeedSelector.InputText = self.InputText
        self.SeedSelector.vmtkRenderer =
            self.vmtkRenderer
        elif self.SeedSelectorName == 'carotidprofiles':
        self.SeedSelector =
            vmtkcenterlines.vmtkCarotidProfilesSeedSelector()
```


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self.SeedSelector. SetSeedIds (vmtkcenterlines.surfaceCapper. \} GetCapCenterIds ())
elif (self.SeedSelectorName $=$ 'idlist'):
self.SeedSelector $=$
vmtkcenterlines. vmtkIdListSeedSelector ()
self.SeedSelector. SourceIds $=$ self.SourceIds self.SeedSelector. TargetIds $=$ self. TargetIds
elif (self.SeedSelectorName $=$ ' pointlist'):
self.SeedSelector $=$
vmtkcenterlines.vmtkPointListSeedSelector ()
self.SeedSelector. SourcePoints = self. SourcePoints
self.SeedSelector. TargetPoints $=$ self.TargetPoints
else:
self. PrintError ("SeedSelectorName $\quad$ unknown $_{\sqcup}$
(available: $\sqcup$ pickpoint $\sqcup \mid \sqcup$ openprofiles $\sqcup \mid \sqcup$ carotidprofiles $\sqcup \mid \sqcup$ idlist $\sqcup \mid \sqcup$ pointlist)" )
return
else:
self. PrintError ('vmtkCenterlines $\sqcup$ error : $\sqcup$ either $\sqcup$ SeedSelector or $_{\sqcup}$ SeedSelectorName must $_{\sqcup}$ be $_{\sqcup}$ specified')
return
self.SeedSelector.SetSurface (vmtkcenterlines. \} centerlineInputSurface)
self.SeedSelector. InputText $=$ self.InputText
self.SeedSelector. OutputText $=$ self. OutputText
self.SeedSelector. PrintError = self. PrintError
self.SeedSelector. PrintLog $=$ self. PrintLog
self.SeedSelector.Execute ()
vmtkcenterlines.inletSeedIds $=$ self.SeedSelector. GetSourceSeedIds ()
vmtkcenterlines.outletSeedIds = self.SeedSelector. GetTargetSeedIds ()
self. PrintLog ('Computing centerlines.')
vmtkcenterlines.centerlineFilter $=$
vtkvmtk. vtkvmtkPolyDataCenterlines ()
vmtkcenterlines.centerlineFilter. SetInput (vmtkcenterlines. \}
centerlineInputSurface)
if (self.SeedSelectorName $=$ 'openprofiles') |
(self.SeedSelectorName $=$ 'carotidprofiles'):
vmtkcenterlines.centerlineFilter. SetCapCenterIds $\backslash$
(vmtkcenterlines.capCenterIds)
vmtkcenterlines. centerlineFilter. SetSourceSeedIds $\backslash$
(vmtkcenterlines.inletSeedIds)
vmtkcenterlines. centerlineFilter. SetTargetSeedIds $\backslash$
(vmtkcenterlines.outletSeedIds)
vmtkcenterlines. centerlineFilter. SetRadiusArrayName $\backslash$
(self.RadiusArrayName)
vmtkcenterlines. centerlineFilter. SetCostFunction $\backslash$
(self.CostFunction)
vmtkcenterlines.centerlineFilter. SetFlipNormals $\backslash$
(self.FlipNormals)
vmtkcenterlines.centerlineFilter.
SetAppendEndPointsToCenterlines (self.AppendEndPoints)
vmtkcenterlines. centerlineFilter. SetSimplifyVoronoi\}
(self.SimplifyVoronoi)
if self. DelaunayTessellation $!=$ None:

```
    vmtkcenterlines. centerlineFilter. \(\backslash\)
GenerateDelaunayTessellationOff()
    vmtkcenterlines.centerlineFilter. SetDelaunayTessellation \(\backslash\)
(self. DelaunayTessellation)
if self.UseTetGen==1:
    self. PrintLog ('Running \(\sqcup\) TetGen. ')
    import vmtkscripts
    vmtkcenterlines.surfaceToMesh \(=\)
        vmtkscripts.vmtkSurfaceToMesh()
    vmtkcenterlines.surfaceToMesh. Surface \(=\)
        vmtkcenterlines. \}
    centerlineInputSurface
    vmtkcenterlines.surfaceToMesh. Execute ()
    vmtkcenterlines.tetgen \(=\) vmtkscripts. \(\operatorname{vmtkTetGen}()\)
    vmtkcenterlines.tetgen. Mesh =
        vmtkcenterlines.surfaceToMesh. Mesh
    vmtkcenterlines.tetgen. \(\mathrm{PLC}=1\)
    vmtkcenterlines.tetgen. NoMerge \(=1\)
    vmtkcenterlines.tetgen. Quality \(=0\)
    if self. TetGenDetectInter \(=1\) :
        vmtkcenterlines.tetgen. DetectInter \(=1\)
        vmtkcenterlines.tetgen. NoMerge \(=0\)
    vmtkcenterlines.tetgen. OutputSurfaceElements \(=0\)
    vmtkcenterlines.tetgen. Execute ()
    vmtkcenterlines. centerlineFilter. GenerateDelaunayTessellationOff()
    vmtkcenterlines.centerlineFilter. SetDelaunayTessellation \(\backslash\)
(vmtkcenterlines.tetgen. Mesh)
vmtkcenterlines. centerlineFilter. SetCenterlineResampling \}
(self.Resampling)
vmtkcenterlines.centerlineFilter. SetResamplingStepLength \(\backslash\)
(self.ResamplingStepLength)
vmtkcenterlines. centerlineFilter. Update ()
self. Centerlines \(=\)
    vmtkcenterlines. centerlineFilter. GetOutput ()
self. VoronoiDiagram \(=\)
    vmtkcenterlines. centerlineFilter. \(\backslash\)
GetVoronoiDiagram ()
self. DelaunayTessellation \(=\)
    vmtkcenterlines. centerlineFilter. \(\backslash\)
GetDelaunayTessellation ()
self.PoleIds =
    vmtkcenterlines. centerlineFilter. GetPoleIds ()
self.EikonalSolutionArrayName \(=\)
    vmtkcenterlines. centerlineFilter. \}
GetEikonalSolutionArrayName ()
self.EdgeArrayName =
    vmtkcenterlines. centerlineFilter. \(\backslash\)
GetEdgeArrayName ()
self.EdgePCoordArrayName \(=\)
    vmtkcenterlines. centerlineFilter. \}
GetEdgePCoordArrayName ()
self. CostFunctionArrayName \(=\)
    vmtkcenterlines.centerlineFilter. \(\backslash\)
GetCostFunctionArrayName ()
if __name__='__main__ ':
    main \(=\) pypes.pypeMain ()
    main.Arguments \(=\) sys.argv
```


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196 main.Execute ()
B. 5 vtkcones.py

This file is not needed for the VMTKGui itself, but it paves the road for the VirtualValveStent project. That is why we think it is useful to insert this file, too

```
## @package vtkcones
#This package contains a single class in which we can find a
    way to build and represent the cone(s) in the right
    window. Also, this is the file used to set up the
    renderer. That's}s\mp@subsup{w}{\mathrm{ why }}{\
    of }\sqcupthe\mp@code{project, }\sqcup\mathrm{ where }\sqcup\mathrm{ we }\sqcup\mathrm{ do }\sqcup\mathrm{ not }\sqcup\mathrm{ Still }\sqcup\mathrm{ have }\sqcup\mathrm{ the }\sqcup\mathrm{ stent.
try:
    import gtk
    import gtk.glade
except:
            sys.exit(1)
import vtk
## "vtkWindow class" is the class that allows us to
    print/remove the cones. Choosing the desired button, we
    could print/remove either 1 or 2 cones.
class vtkWindow:
## The constructor.
# @param self The object pointer
# @param wTree ...
# def ___init___(self, wTree, ren):
def___init__(self, ren):
            self.ren = ren
            self.cone1__actor = vtk.vtkActor()
            self.cone2__actor = vtk.vtkActor()
            self.cone1_actor = None
            self.cone2_actor = None
        ## Function that allows us to print 2 cones
        # @param self The object pointer
        # @param widget gdk widget
        def both_cones(self, widget):
            self.ren.AddActor(self.cone1_actor)
            self.ren.AddActor(self.cone2__actor)
            self.ren.ResetCamera()
        ## With this function we could print 1st cone
        # @param self The object pointer
        # @param widget gdk widget
        def cone1(self, widget):
            if not self.cone1_actor:
            cone1 = vtk.vtkConeSource()
            cone1.SetHeight(100)
            cone1.SetRadius(50)
```

```
    cone1.SetResolution(150)
    # Map to graphics library
    cone1_map = vtk.vtkPolyDataMapper()
    cone1_map.SetInputConnection(
        cone1.GetOutputPort() )
    # Actor coordinates geometry, properties,
        transformation
    self.cone1__actor = vtk.vtkActor()
    self.cone1__actor.SetMapper( cone1_map )
    self.cone1__actor.SetPosition(0, 3, 0)
    self.cone1__actor.GetProperty().SetColor (0,0,0)
    # Create a clipping plane to clip cone 1
    plane1 = vtk.vtkPlane()
    plane1.SetOrigin(0.05,0.0,0.0)# [*1]
    plane1.SetNormal ( - 1.0,0.0,0.0)
    cone1_map.AddClippingPlane( plane1 )
    self.ren.AddActor(self.cone1__actor)
    self.ren.ResetCamera() #(Original version)
## With this function we could print 2nd cone
# @param self The object pointer
# @param widget gdk widget
def cone2(self, widget):
    if not self.cone2_actor:
    # Cone2
    cone2 = vtk.vtkConeSource()
    cone2.SetHeight(100)
    cone2.SetRadius (50)
    cone2.SetResolution(150)
    # Map to graphics library
    cone2__map = vtk.vtkPolyDataMapper()
    cone2__map.SetInput( cone2.GetOutput() )
    # Actor coordinates geometry, properties,
            transfvaormation
    self.cone2_actor = vtk.vtkActor()
    self.cone2_actor.SetMapper(cone2_map)
    self.cone2_actor.SetPosition(0,3,0)
    # Cone_actor. RotateY (90)
    self.cone2__actor. RotateZ(180)
    self.cone2_actor.GetProperty().SetColor (1,0,0)
    ## Create a clipping plane to clip cone 2
    plane2 = vtk.vtkPlane()
    plane2.SetOrigin(0.05,0.0,0.0)
    plane2.SetNormal (1.0,0.0,0.0)
    cone2_map.AddClippingPlane (plane2)
    self.ren.AddActor(self.cone2_actor)
    self.ren.ResetCamera() #(Original version)
## With this function we could remove 1st cone
# @param self The object pointer
# @param widget gdk widget
```

```
def rem_cone1(self, widget):
    self.ren.RemoveActor(self.cone1_actor)
        #(Original version)
    self.cone1_actor = None
## With this function we could remove 2nd cone
# @param self The object pointer
# @param widget gdk widget
def rem_cone2(self, widget):
    self.ren.RemoveActor(self.cone2_actor)#
        (Original version)
    self.cone2_actor = None
```

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[^0]:    1 "Francesco Guccini, eterno studente, perché la materia di studio sarebbe infinita e soprattutto perché so di non sapere niente"

[^1]:    2 This is the technique implemented to initialize the geometry we are interested in.

[^2]:    7 This could appear very simple since we have a $C T$-scanning.

[^3]:    2 Actually Osirix is free only for the Mac-OSX users

[^4]:    cross currents. These flows arise when the fluid viscosity is sufficiently large to damp out any perturbations to the flow that may occur due to boundary imperfections or other irregularities. These flows occur at low-to-moderate values of the Reynolds number.

